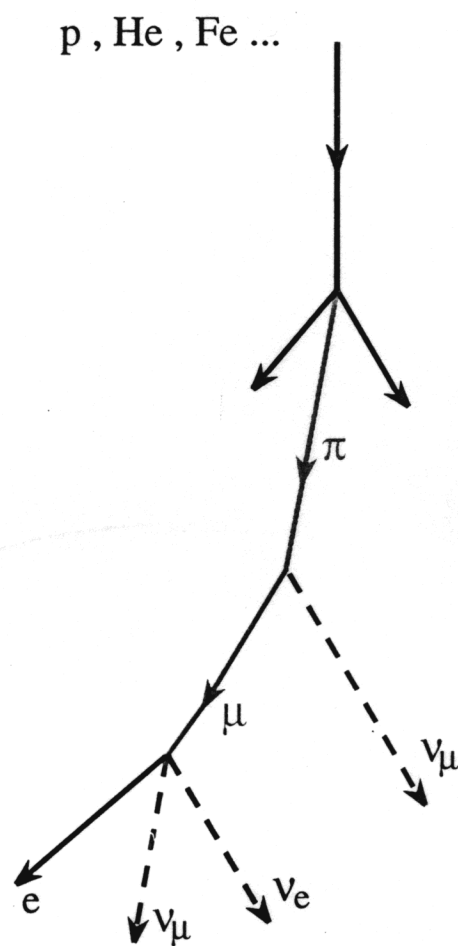
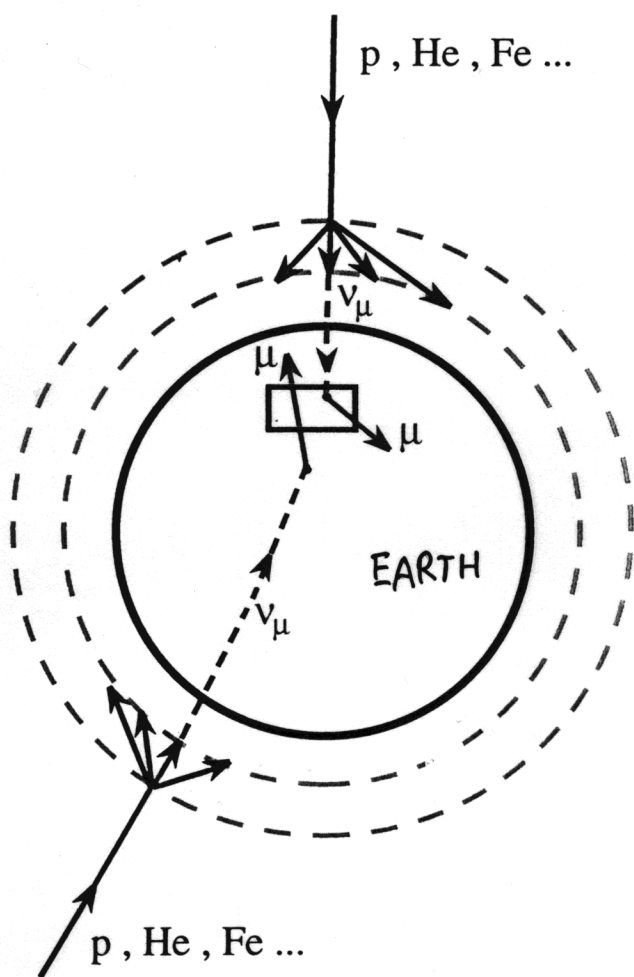


ATMOSPHERIC NEUTRINO OSCILLATIONS IN MACRO

1. INTRODUCTION
2. EXPERIMENTAL
3. UP-THROUGHING μ
4. SEMICONTAINED μ
UP-STOPPING μ
5. $\nu_\mu \rightarrow \nu_e$, $\nu_\mu \rightarrow \nu_s$
6. L/E_ν DISTRIBUTIONS
7. CONCLUSIONS

G. GIACOMELLI
VENEZIA
25-7-01



2. ν -OSCILLATIONS

$$\left\{ \begin{array}{l} \text{WEAK FLAVOUR EIGENSTATES} \\ \text{MASS EIGENSTATES} \end{array} \right. \quad \begin{array}{ccc} \nu_e & \nu_\mu & \nu_\tau \\ \nu_1 & \nu_2 & \nu_3 \end{array}$$

$$\left\{ \begin{array}{l} \text{DECAYS, INTERACTIONS} \\ \text{PROPAGATION} \end{array} \right. \quad \begin{array}{l} \pi^+ \rightarrow \mu^+ \nu_\mu, \quad \nu_\mu n \rightarrow \mu^- p \\ \nu_1(t) = \nu_1(0) e^{-E_1 t} \end{array}$$

$$\text{MIXING} \quad \nu_e = \sum_{m=1}^3 U_{em} \nu_m$$

$$\text{2-FLAVOUR MIXING} \quad \left\{ \begin{array}{l} \nu_\mu = \nu_2 \cos \theta_{\mu\tau} + \nu_3 \sin \theta_{\mu\tau} \\ \nu_\tau = -\nu_2 \sin \theta_{\mu\tau} + \nu_3 \cos \theta_{\mu\tau} \end{array} \right.$$

$$\left\{ \begin{array}{l} \text{IF } \theta_{e\mu} \approx \theta_{e\tau} \approx \theta_{\mu\tau} \ll \text{SMALL} \Rightarrow \nu_e \approx \nu_1, \nu_\mu \approx \nu_2, \nu_\tau \approx \nu_3 \\ m_{\nu_1} \ll m_{\nu_2} \ll m_{\nu_3} \\ \text{IF } \theta \gg \text{LARGE} \quad \text{SITUATION IS DIFFERENT} \end{array} \right.$$

OSCILLATIONS IN VACUUM (DISTANCE L)

$$\left\{ \begin{array}{l} \text{DISAPPEARANCE} \\ \text{APPEARANCE} \end{array} \right. \quad \begin{array}{l} P(\nu_\mu \rightarrow \nu_\mu) = 1 - \sin^2 2\theta_{\mu\tau} \sin^2 \left(\frac{1.27 \Delta m^2 L}{E_\nu} \right) \\ P(\nu_\mu \rightarrow \nu_\tau) = 1 - P(\nu_\mu \rightarrow \nu_\mu) \end{array}$$

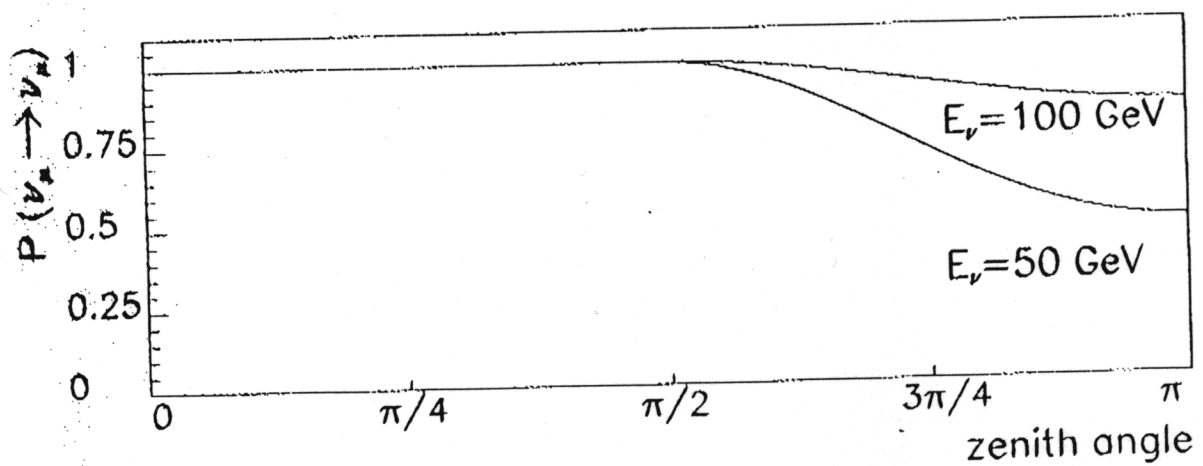
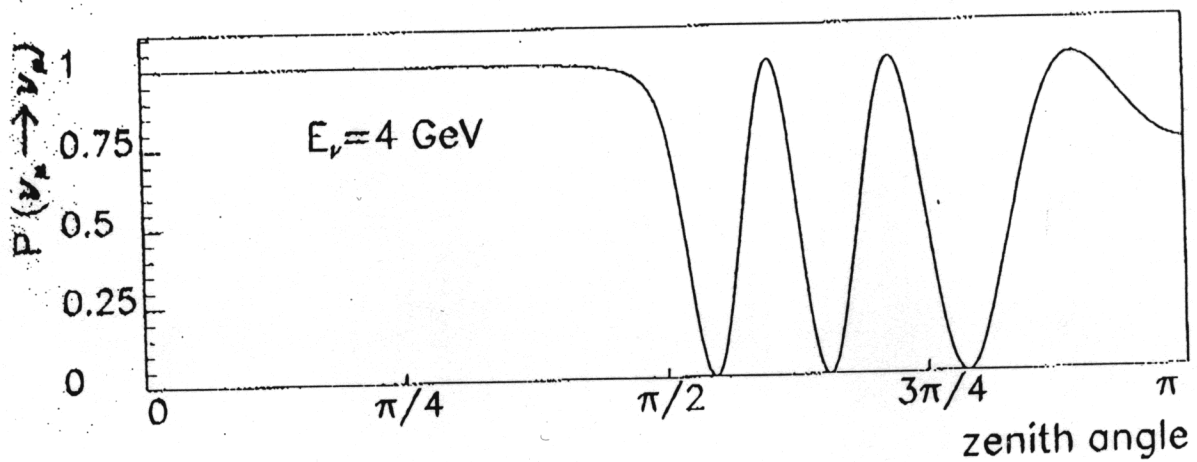
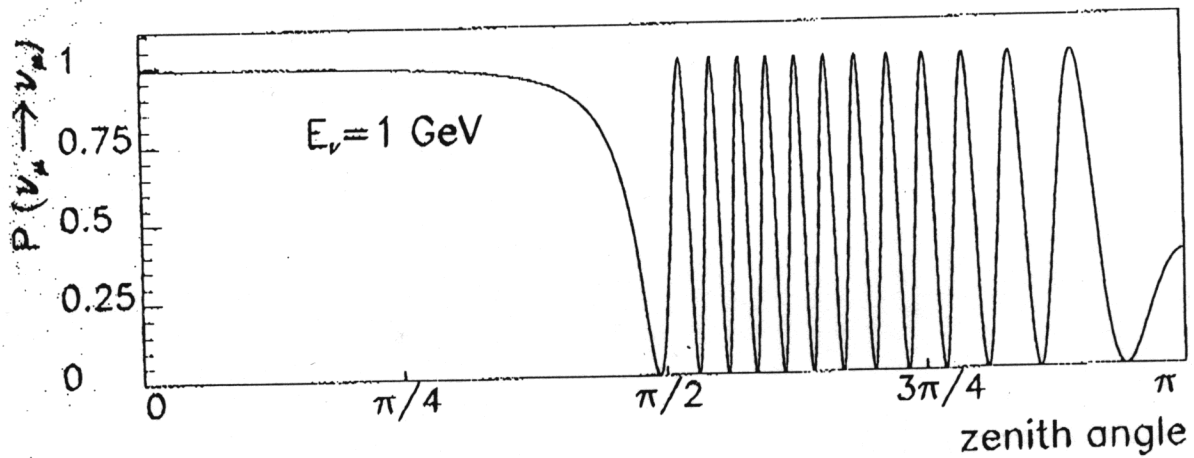
$$\Delta m^2 = m_{\nu_3}^2 - m_{\nu_2}^2$$

SIMPLE FORMULAE } ADDITIONAL FLAVOUR OSCILLATION
MODIFIED BY } MATTER EFFECTS

IN CASE OF OSCILLATIONS { NEUTRINOS HAVE MASSES m_{ν_i}
"STERILE" ν_s { L_e, L_μ, L_τ VIOLATION
NEUTRINO DECAYS:

$$P(\nu_\mu \rightarrow \nu_\mu)$$

$$(\Delta m^2, \sin^2(2\vartheta_{\text{mixing}})) = (2.5 \cdot 10^{-3} \text{ eV}^2, 1)$$



13000 km

+1

0
 $\cos \theta$

-1

5. MACRO

hep-ex/0106049
 PHYS LETT B434(1998)451
 " " B478(2000)5
 hep-ex/0105087
 ICRC2001 CONF
 MASS = 5.1 kt

{ GENERAL PURPOSE DETECTOR
 76.6 m x 12 m x 9.3 m $S\Omega_{\pi} \approx 9600 \text{ m}^2 \text{ sr}$, $S\Omega_{\nu} \approx 3100 \text{ m}^2 \text{ sr}$
 AT GRAN SASSO 3700 mwe

OPTIMIZED FOR MM_s SEARCHES (GUT)

RESULTS ON COSMIC RAYS (SEASONAL VARIATION,
 MOON SHADOW (POINTING ACCURACY), BACKGROUND STUDIES,)
 ATMOSPHERIC NEUTRINOS

- UP-THROUGHGOING μ $\langle E_{\nu} \rangle \approx 50 \text{ GeV}$ 809 events

MC SIMULATION: BARTOL ν_{μ} FLUX, $\mu \frac{dE}{dx}$ BY LOHMAN,
 GRV94 DEEP INELASTIC PARTON DISTRIBUTIONS

- UP-SEMICONTAINED μ $\langle E_{\nu} \rangle \approx 4 \text{ GeV}$ 154 events

- UP-STOPPING μ " " 262 events
 + DOWN SEMICONTAINED

OPTIMIZATION YIELDS (OF UP-THROUGHGOING) $\left\{ \begin{array}{l} \Delta m^2 = 2.5 \times 10^{-3} \text{ eV}^2 \\ \sin^2 2\theta = 1 \end{array} \right.$

$\nu_{\mu} \rightarrow \nu_{\tau}$ OR $\nu_{\mu} \rightarrow \nu_s$?

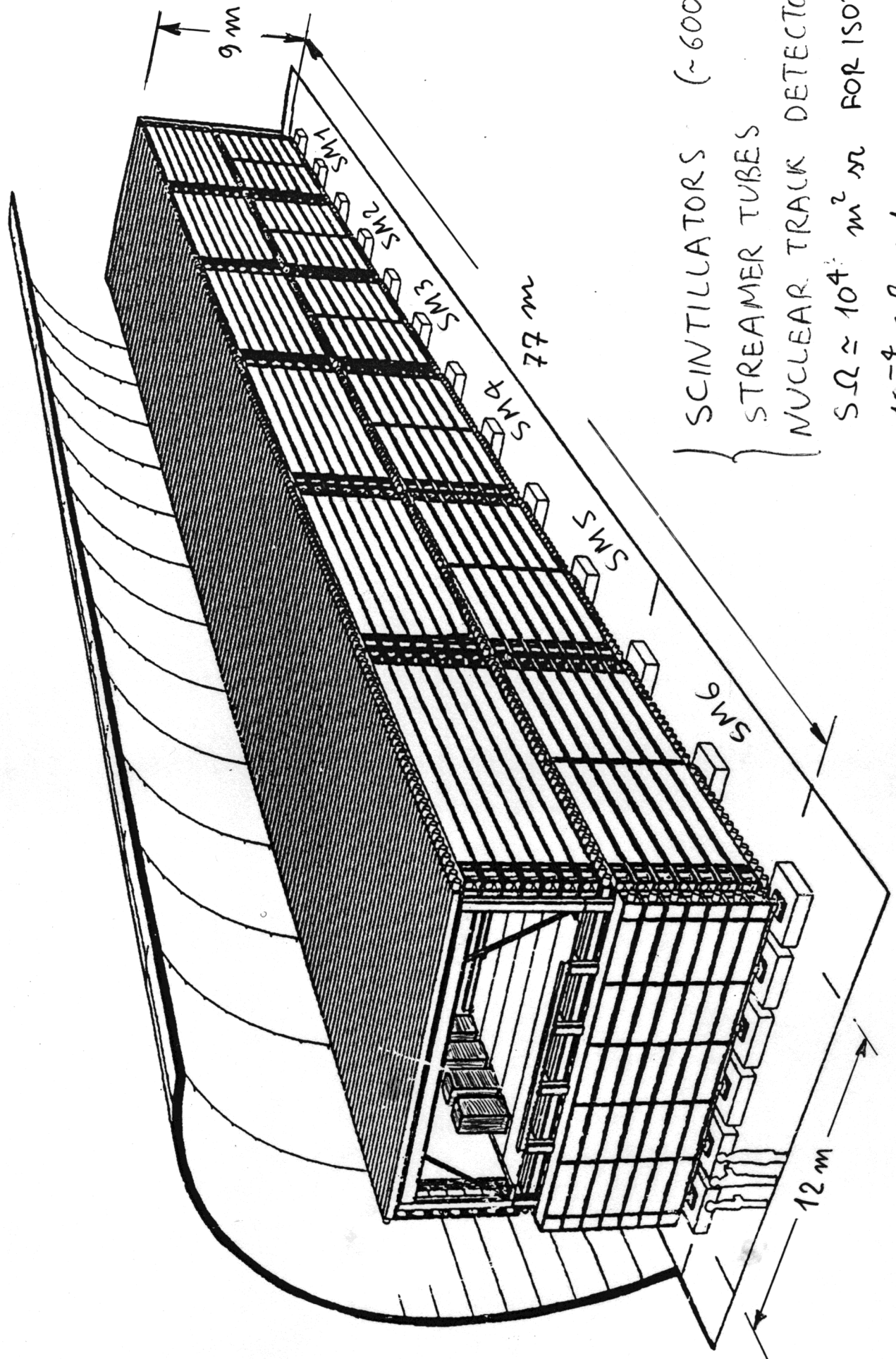
ν_{τ} , ν_{μ} , $\nu_{\tau} + \nu_s$ COULD EXPLAIN THE RESULTS
 FROM SOLAR, ATMOSPHERIC AND ^{LSND} ACCELERATOR NEUTRINOS
 MATTER EFFECTS CAN BE SEEN IN H.E. SAMPLE

$$R = \frac{N(-1 < \cos \theta < -0.7)}{N(-0.4 < \cos \theta < 0)} = \frac{305}{206} = 1.48 \pm 0.13_{\text{STAT}} \pm 0.10_{\text{SYST}}$$

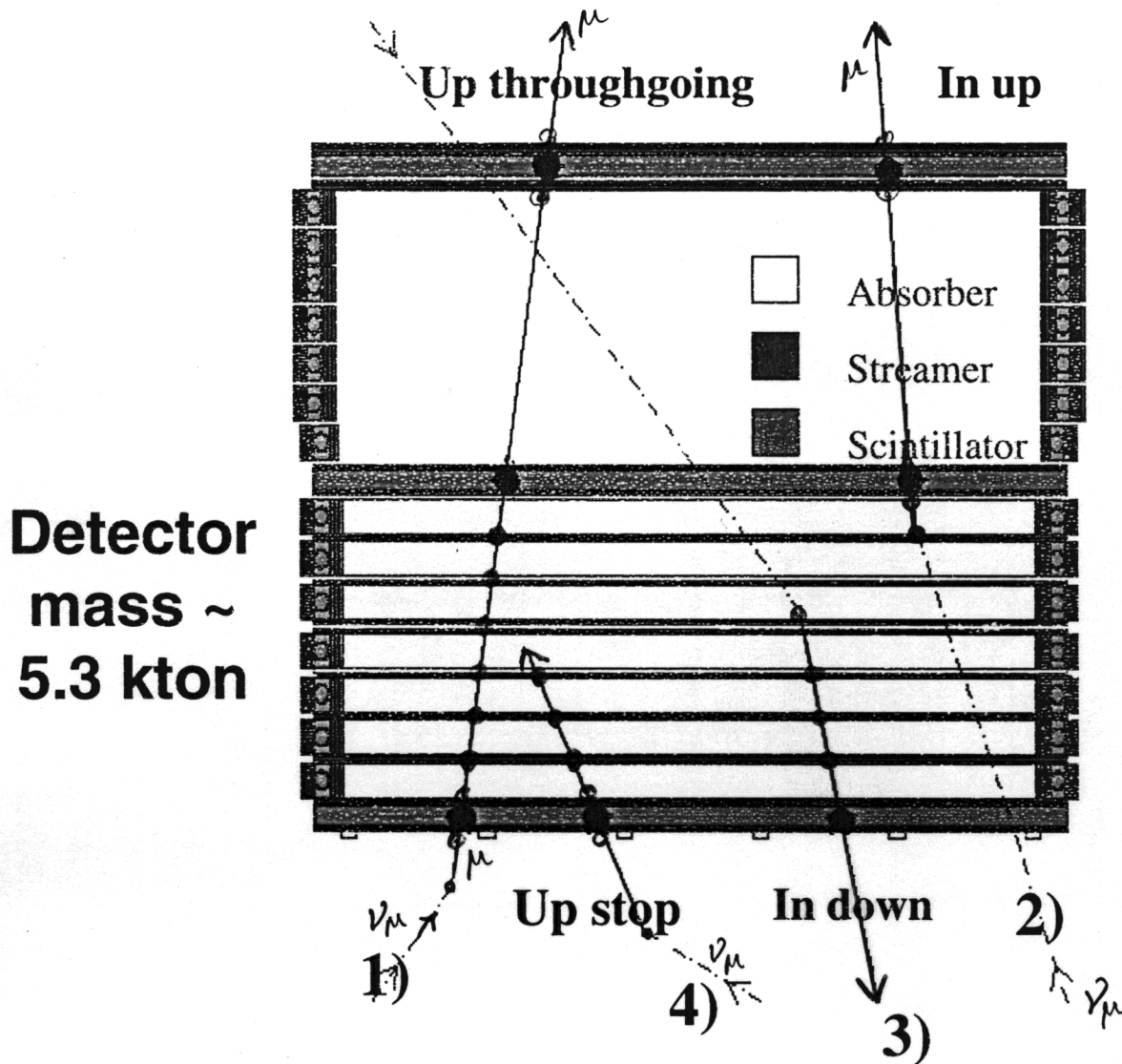
(MOST OF THE UNCERTAINTIES DROP OUT)

$\nu_{\mu} - \nu_s$ EXCLUDED AT 99% CL COMPARED TO $\nu_{\mu} \rightarrow \nu_{\tau}$

MACRO

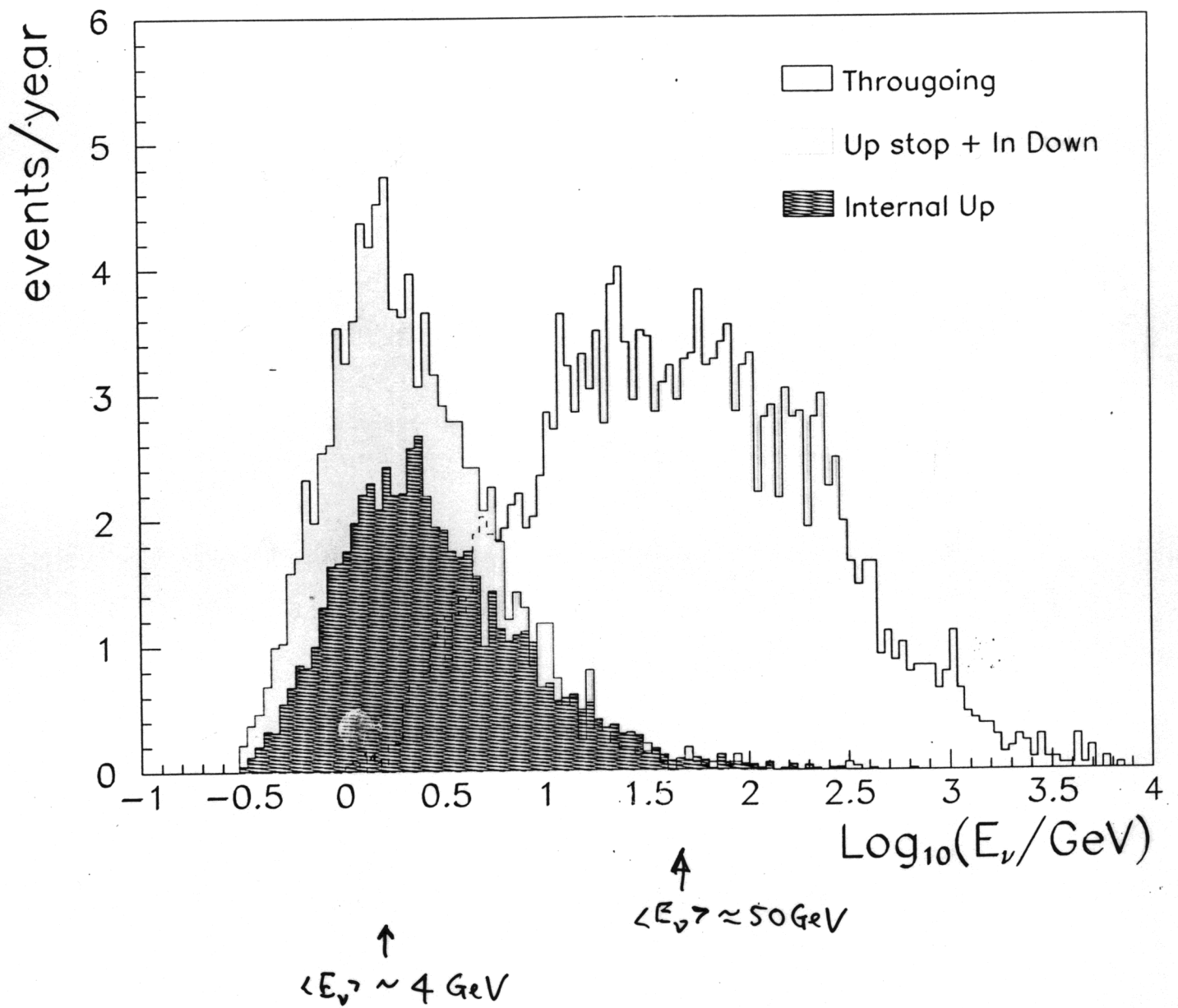


Neutrino event topologies in MACRO



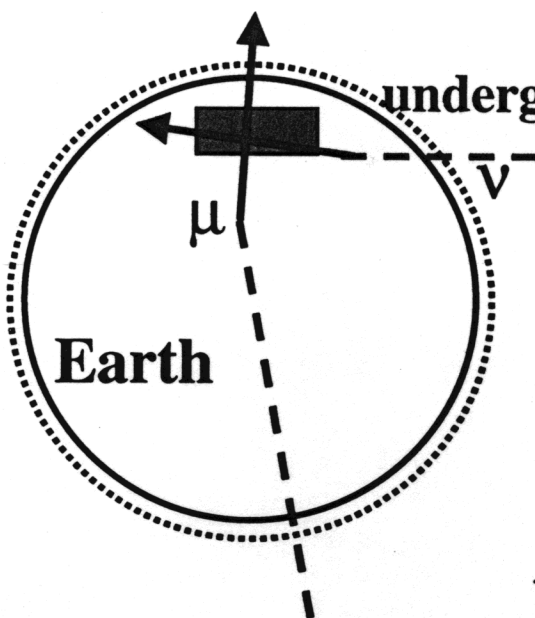
<u>Event category</u>	<u>$\langle E_\nu \rangle$</u>	<u>Rate</u>
1) up throughgoing μ	$\sim 50 \text{ GeV}$	160/y
2) internal upgoing μ	$\sim 5 \text{ GeV}$	50/y
3) internal downgoing μ	$\sim 4 \text{ GeV}$	35/y
4) upgoing stopping μ	$\sim 4 \text{ GeV}$	35/y

MACRO



Effects of ν_μ oscillations on up throughgoing events

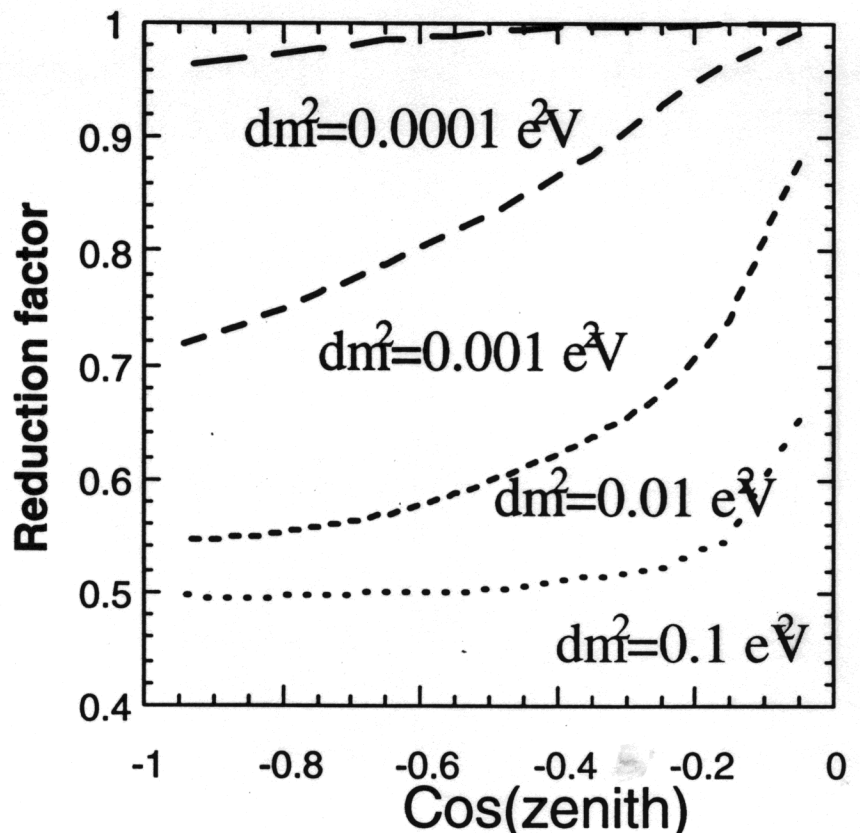
→ Flux reduction depending on **zenith angle** for the high energy events



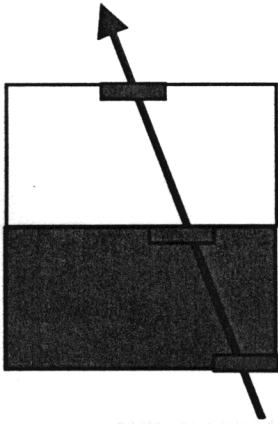
$$E_\nu \sim \frac{50}{100} \text{ GeV}$$

$$L_\nu \sim 10^2 - 10^4 \text{ km}$$

Upgoing Muons $E > 1 \text{ GeV}$

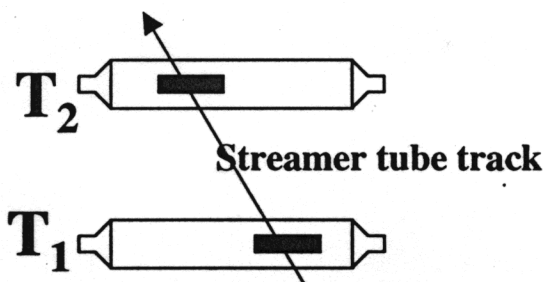


From MC:
distortion of
the angular
distribution



Neutrino induced upward throughgoing muons

Identified by the time-of-flight method



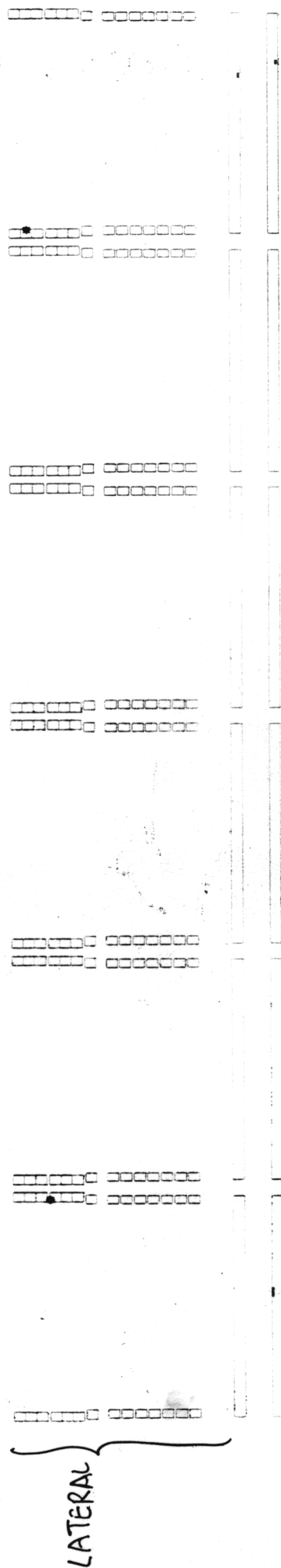
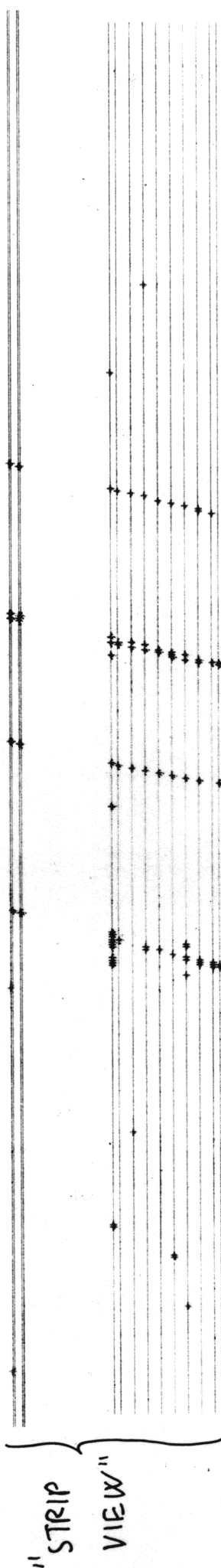
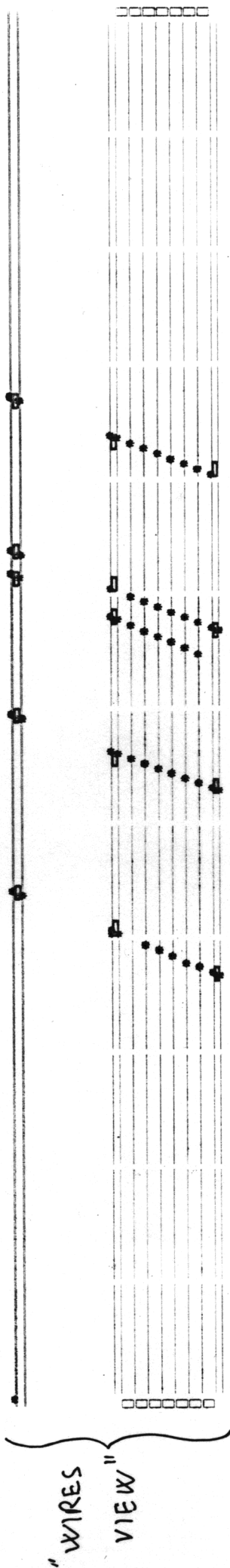
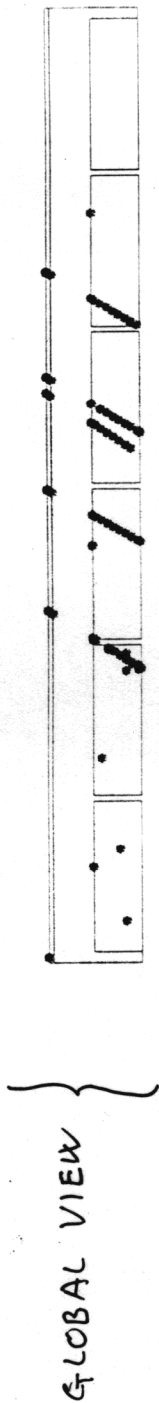
$$\frac{1}{\beta} = \frac{(T_1 - T_2) \cdot c}{L} = \begin{cases} +1 \mu \downarrow \\ -1 \mu \uparrow \end{cases}$$

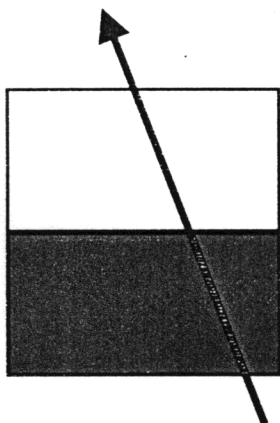
$$\Delta t \sim 0.5 \text{ n sec}, \quad \Delta(\text{position}) \sim 1 \text{ cm}$$

Background rejection cuts:

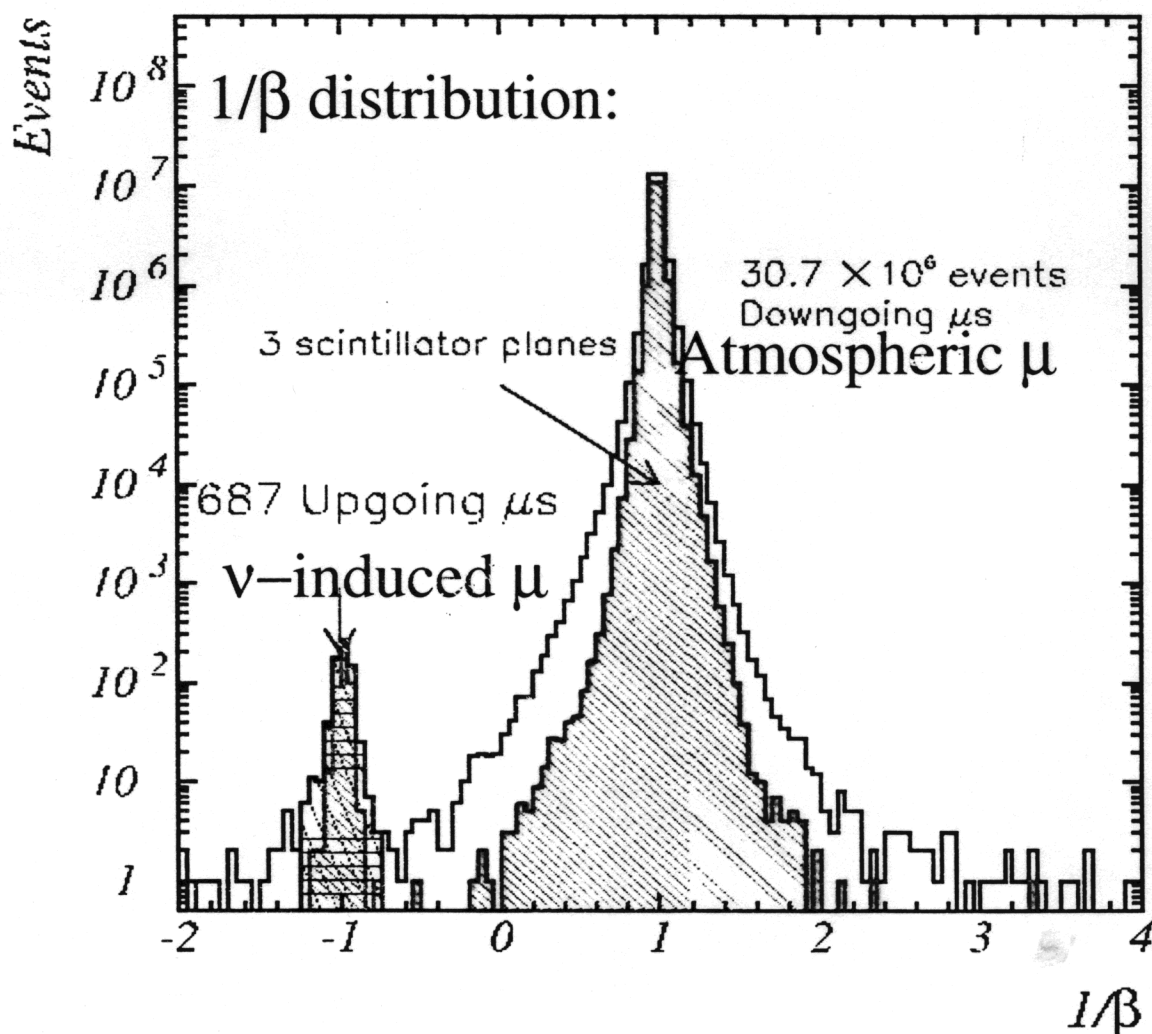
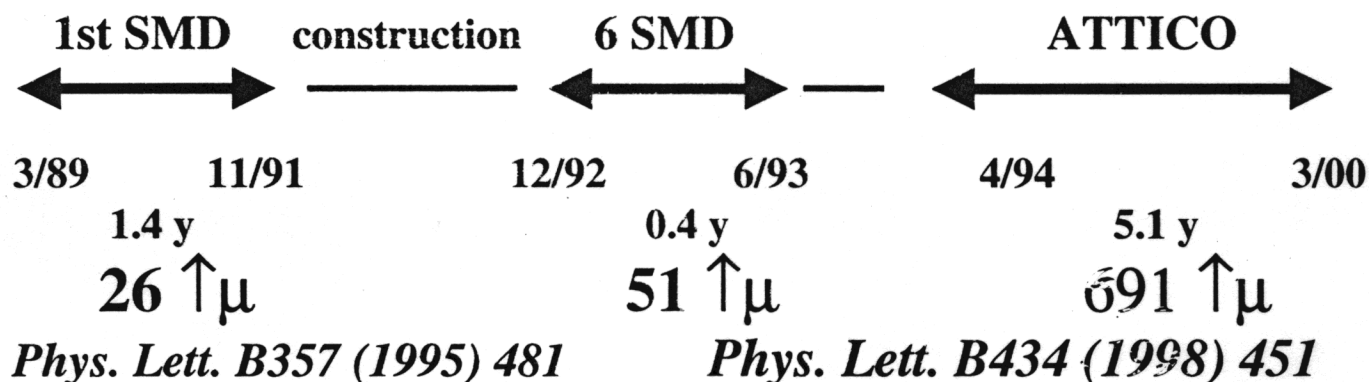
- agreement between **streamer track** and **scintillator hits**
- $>200 \text{ g/cm}^2$ of absorber crossed to minimize the background due to $\uparrow \pi'$ s produced by $\downarrow$ **muons**
(Astroparticle Physics 9 (1998) 105)
- **automated data** selection procedure (no visual scan)
- several independent analyses

DOWNGOING
MUON BUNDLE



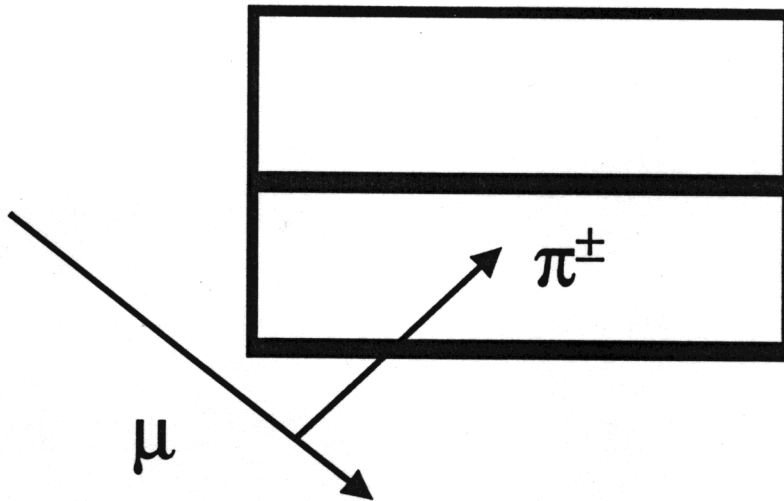


Upward throughgoing muons: the data set



Background source for the ν_μ events: pion production by atmospheric muons

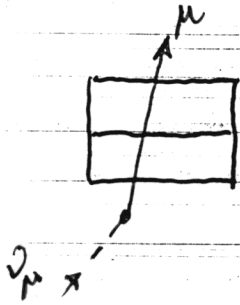
MACRO Collab., Astroparticle Phys. 9(1998),105



- Mainly **pions produced at large angles** by μ interactions in the rock around the detector
($\mu + N \rightarrow \mu + \pi^\pm + X$)
- **$\uparrow \pi$ Rate $\sim 10^{-5} \times$ Atmospheric $\mu \downarrow$**
- **Estimated background in MACRO:**
 - $\sim 5\%$ for the stopping muon sample
(MACRO Coll., PL B478 (2000),5)
 - $\sim 1\%$ for the up-throughgoing μ ($>200 \text{ g/cm}^2$ cut)
(MACRO Coll., PL B434 (1998),451)

MACRO

ICRC 2001

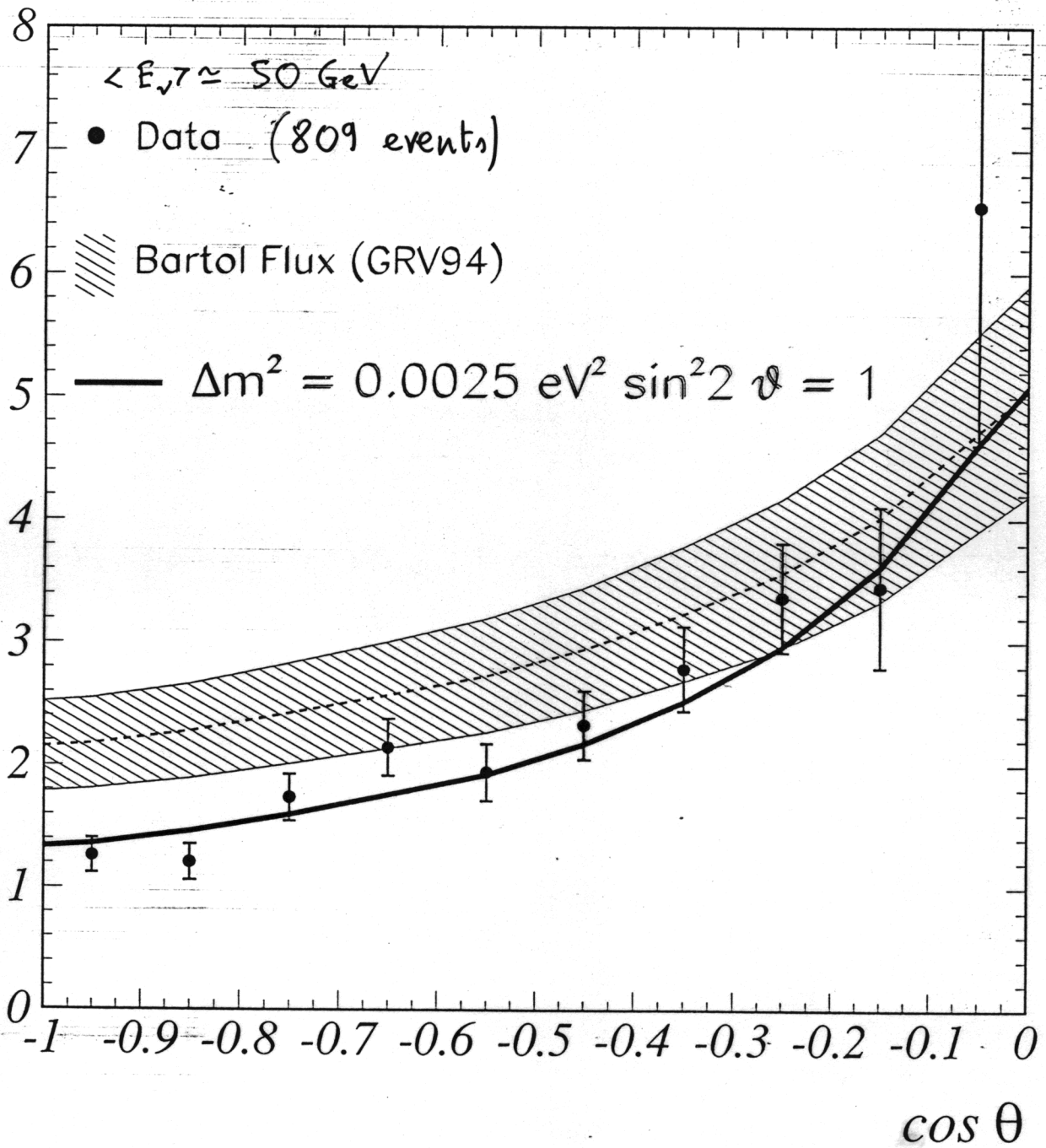


$$R_{-1 < \cos \theta < 0} = \frac{\text{DATA}}{\text{MC}} = 0.721 \pm 0.026 \pm 0.043 \pm 0.123$$

STAT SYST TH

$$\frac{809_{ev}}{1122_{MC}}$$

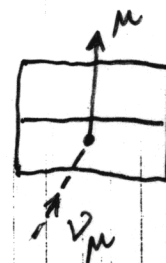
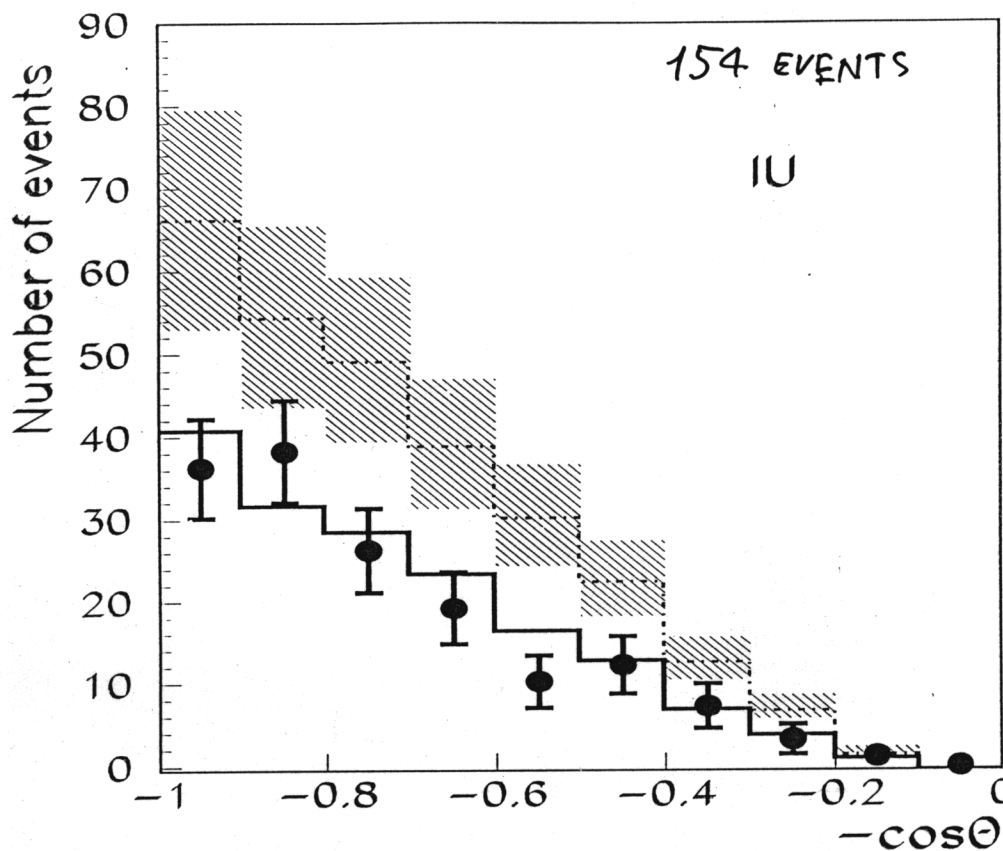
Upward throughgoing μ flux ($10^{-13} \text{ cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$)



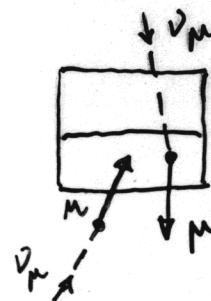
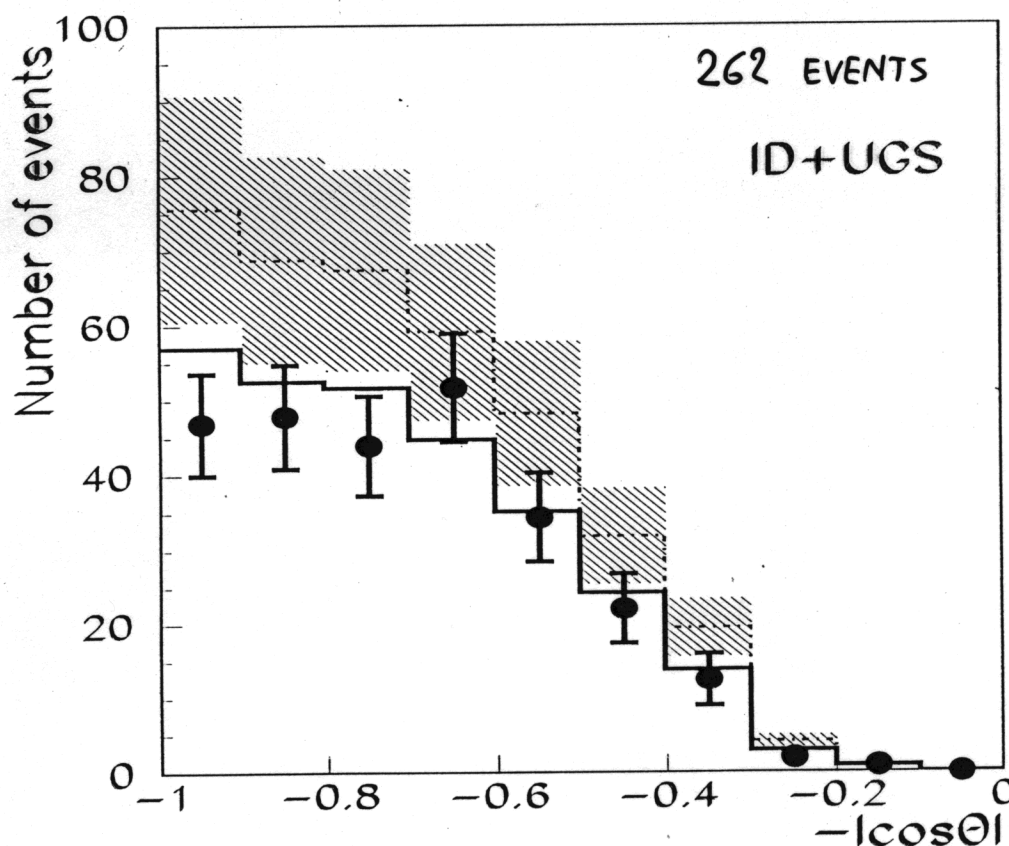
MACRO

$$E_\nu \approx 4 \text{ GeV}$$

UP-SEMICONTAINED



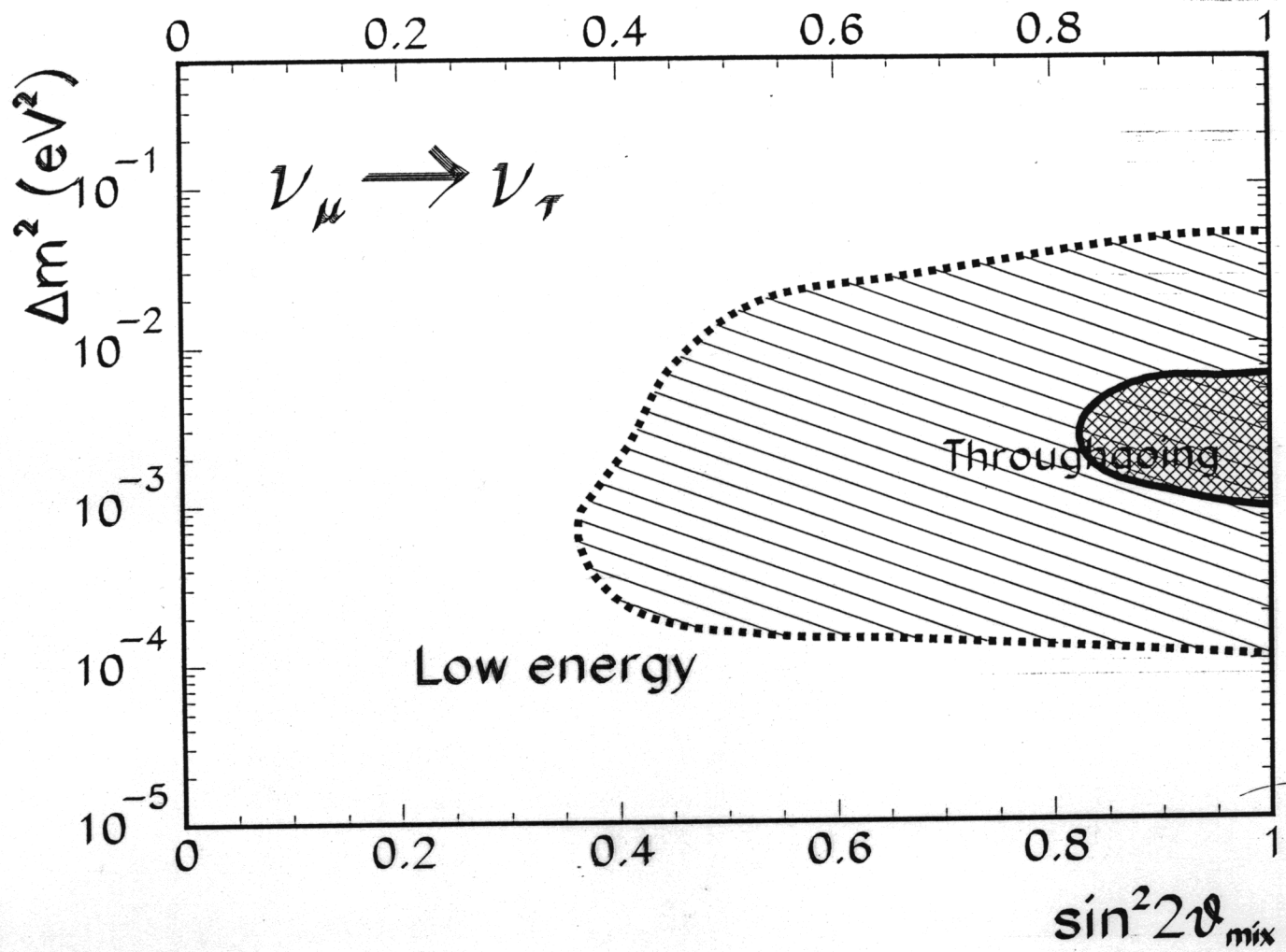
$$R = \frac{\text{MEASURED}}{\text{EXPECTED}} = \frac{154}{285} \approx 0.54 \pm 0.04_{\text{STAT}} + 0.15$$



UPSTOPPING +
+ DOWN SEMICONTAINED

$$R = \frac{\text{MEASURED}}{\text{EXPECTED}} = \frac{262}{375} \approx 0.70 \pm 0.04_{\text{STAT}} \pm 0.07_{\text{SYS}} \pm 0.17_{\text{TH}}$$

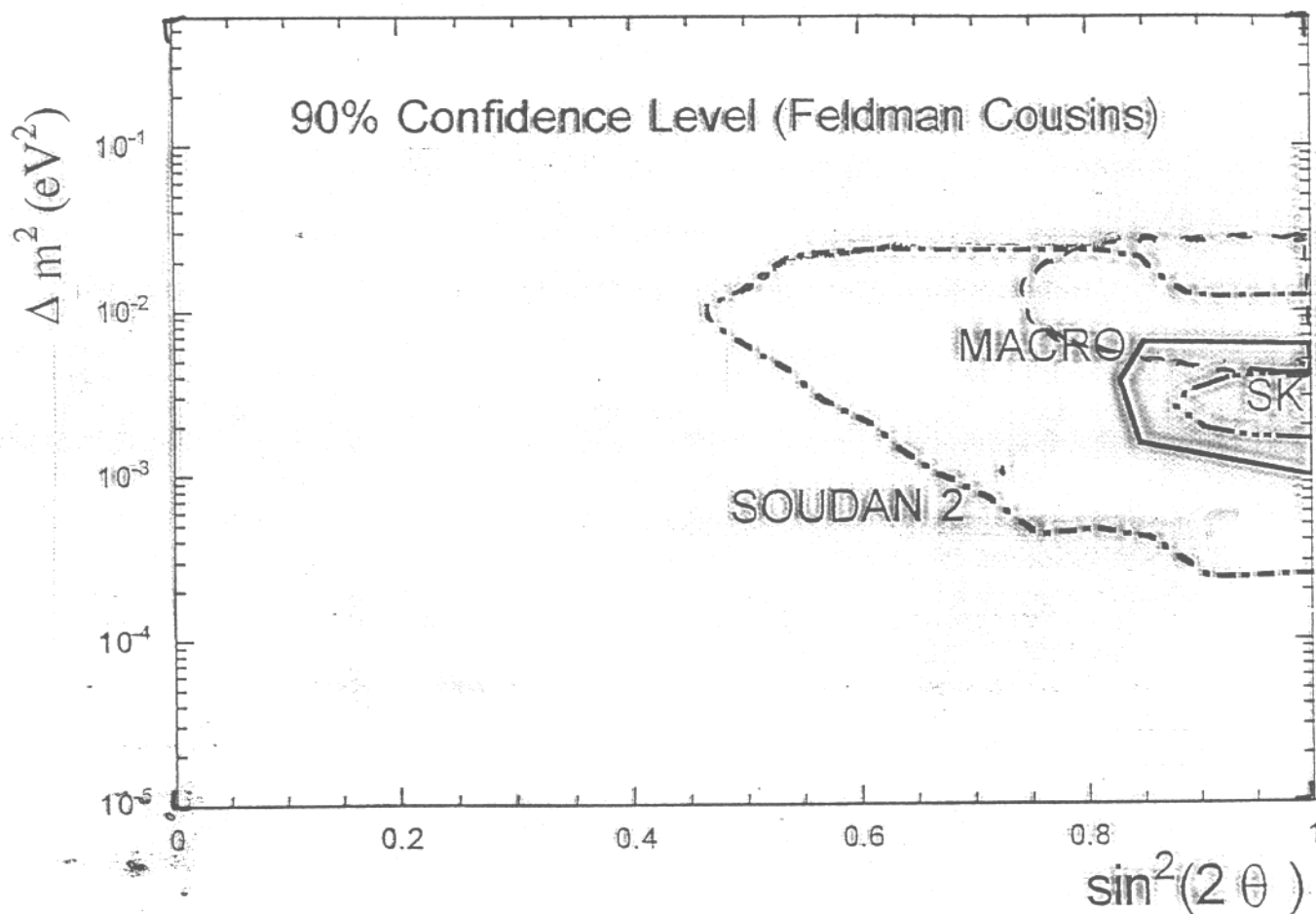
90% CL



Confidence level regions

($\nu_\mu \rightarrow \nu_\tau$ oscillations)

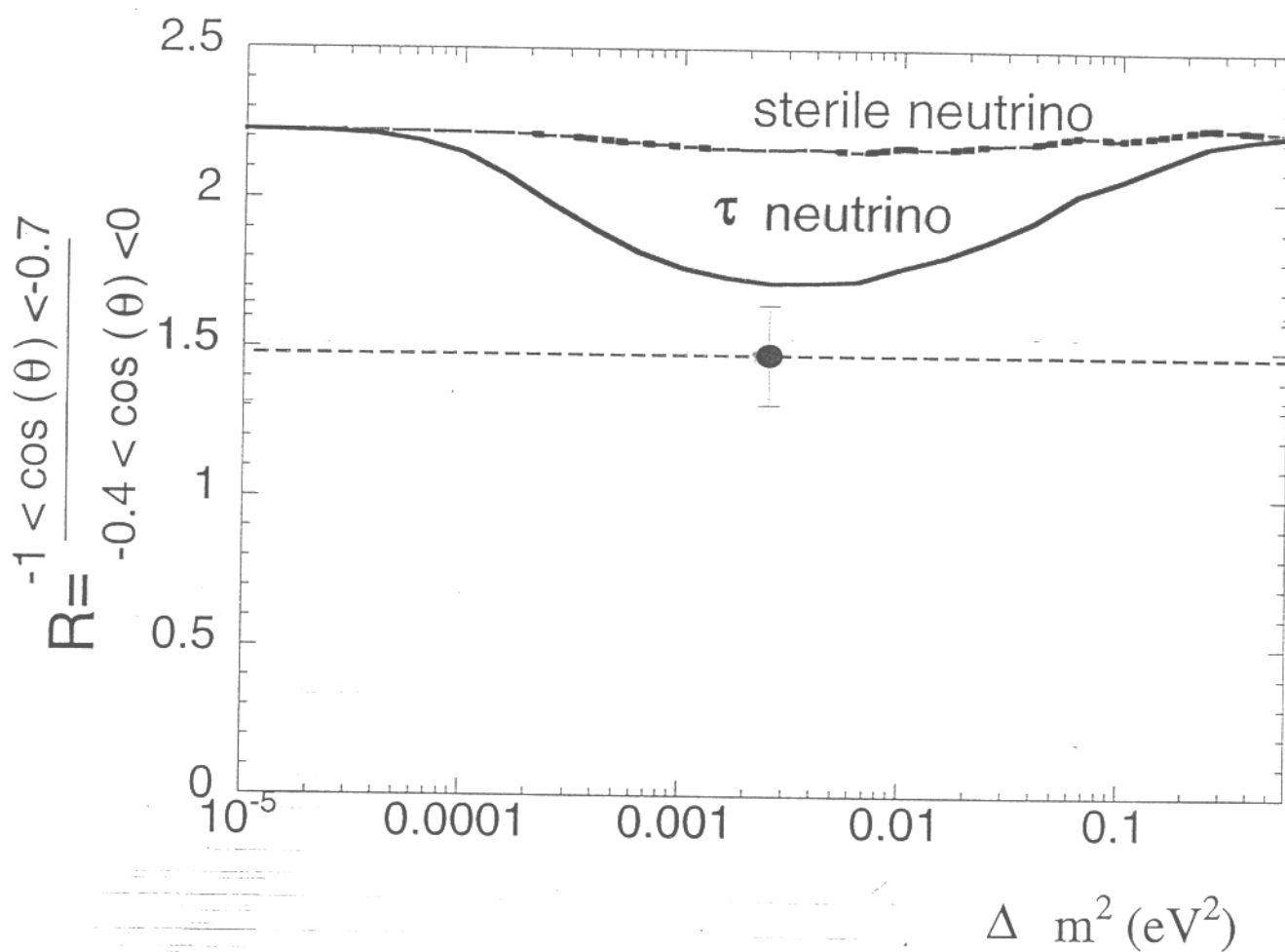
KAMIOKANDE



$$\sin^2 2\theta = 1$$

$$\Delta m^2 = 0.0025 \text{ eV}^2$$

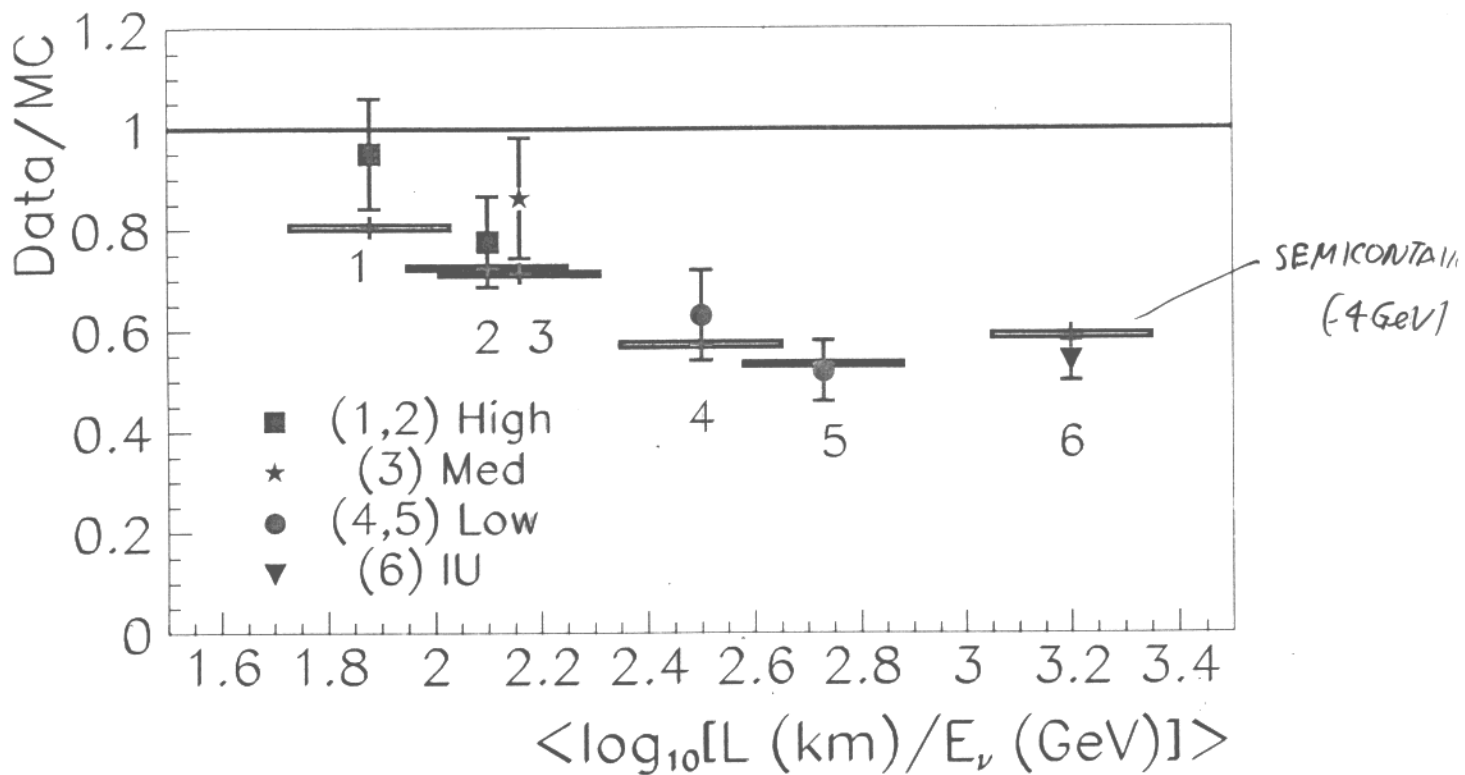
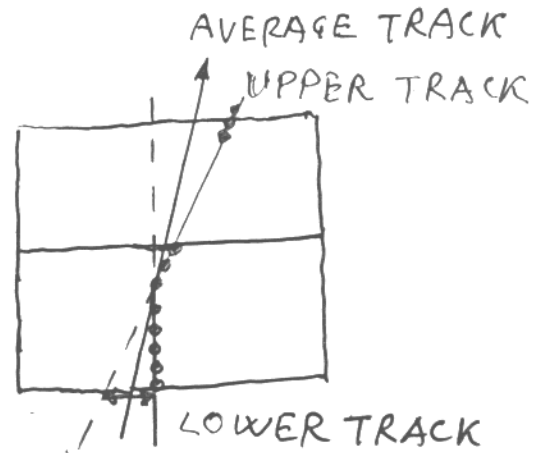
MACRO
hep-ex/0106049



μ ENERGY ESTIMATE FROM MULTIPLE COULOMB SCATTERING

SIMPLER METHOD

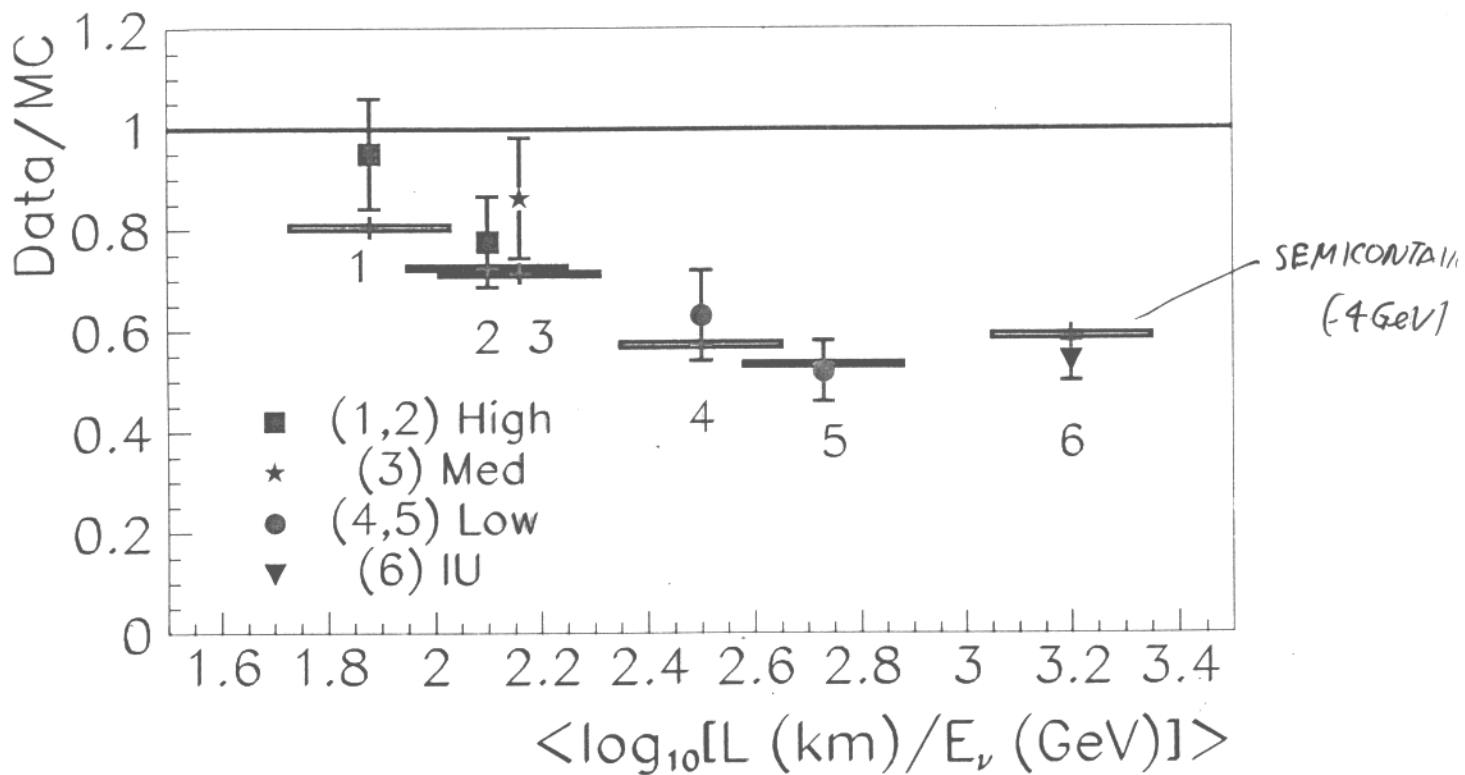
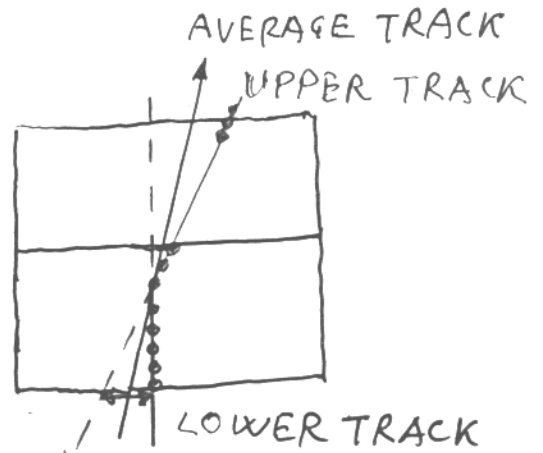
$R \sim 1 \text{ cm}$



μ ENERGY ESTIMATE FROM MULTIPLE COULOMB SCATTERING

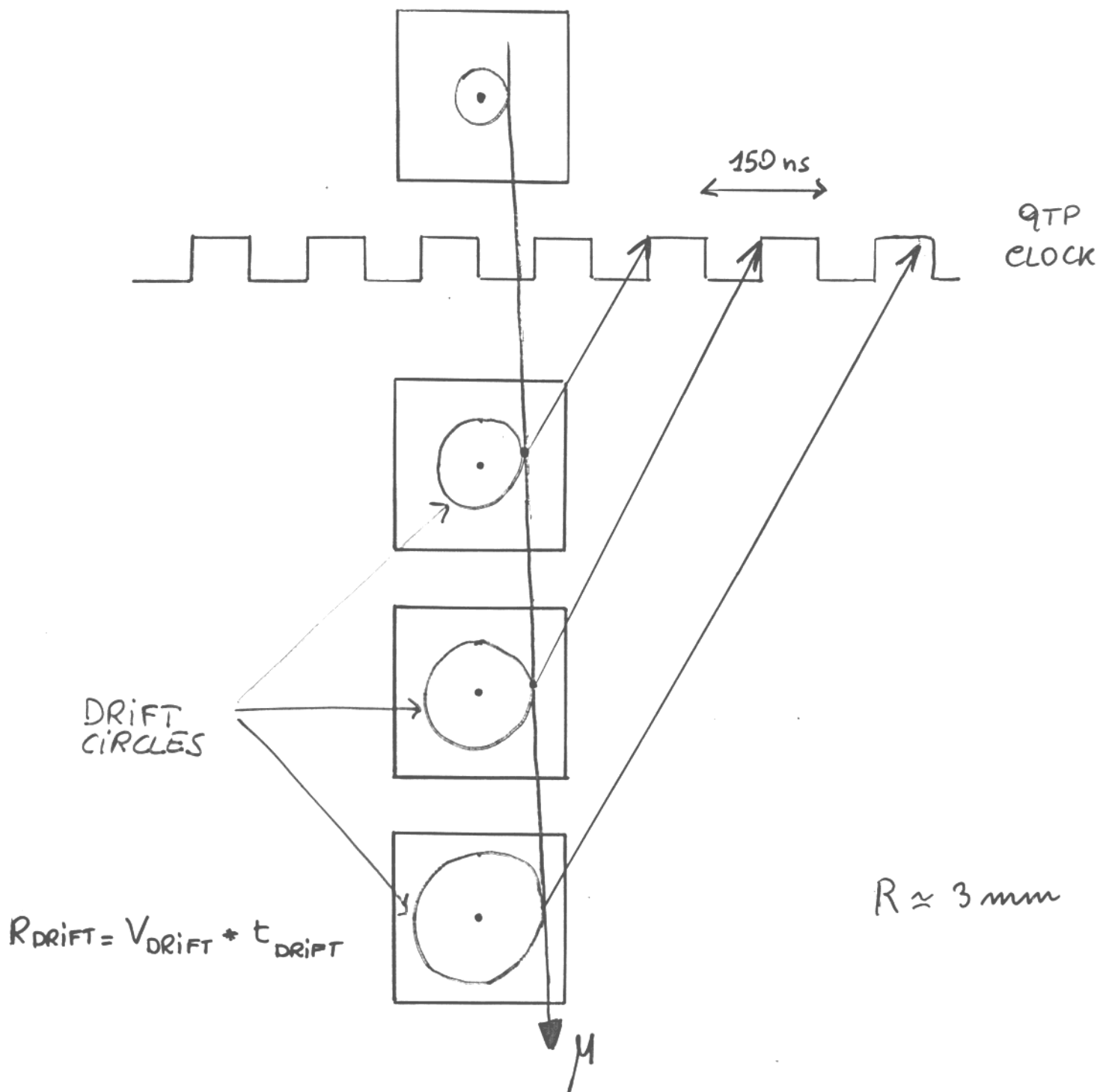
SIMPLER METHOD

$R \sim 1 \text{ cm}$



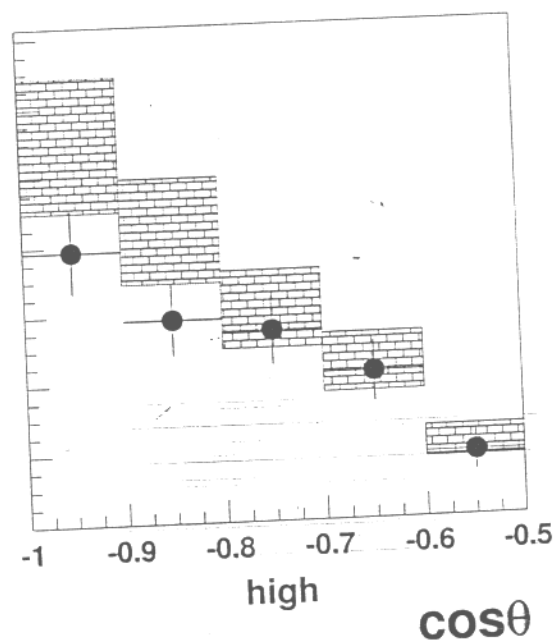
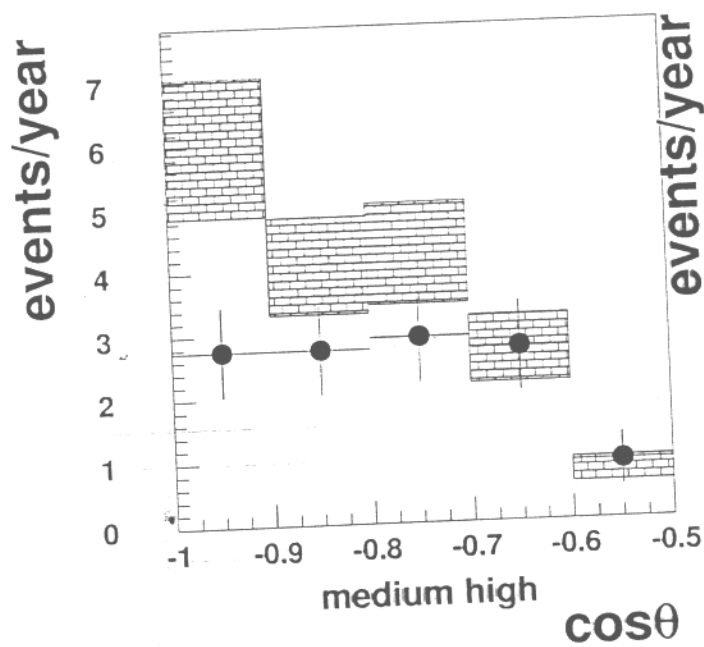
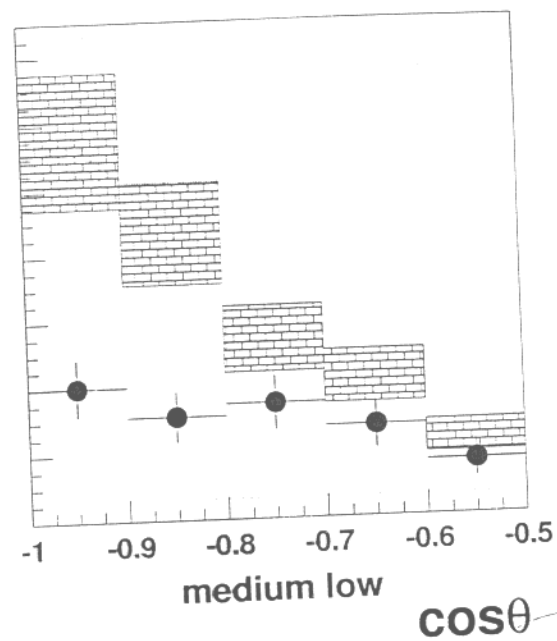
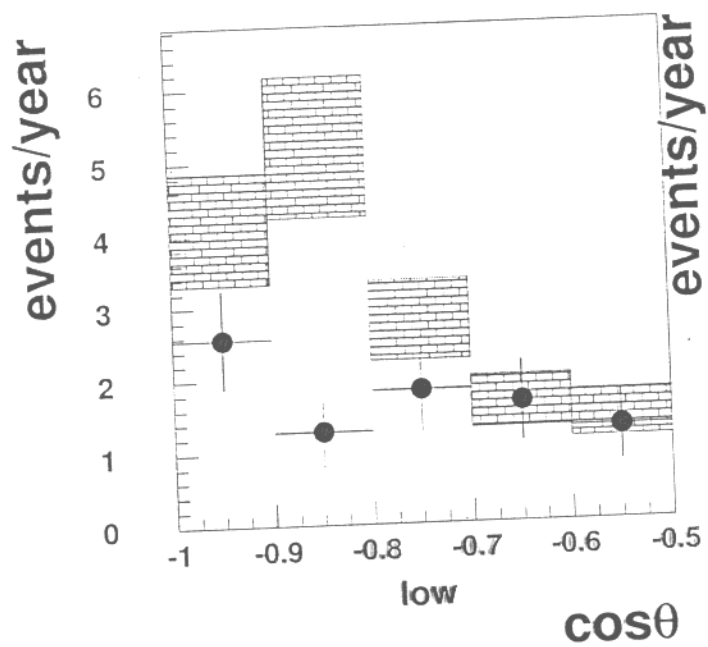
μ ENERGY ESTIMATES FROM MULTIPLE COULOMB SCA

- ① STREAMER TUBES USED IN DRIFT MODE
USING QTP (CHARGE AND TIME PROCESSOR) WHICH MEASURES
ARRIVAL TIME, DURATION AND CHARGE OF STREAMER
TUBE SIGNALS



THE TRACK IS RECONSTRUCTED PERFORMING A FIT
OF THE DRIFT CIRCLES OF THE TRIGGERED TUBES

MACRO



SCAP 29/6/61

MACRC

μ -ENERGY ESTIMATE FROM
COULOMB MULTIPLE SCATT:

DATA/MC(NO OSC)

STAT
+ 0.07

