

Some Possible & some
Improbable Uses of
Neutrino Telescopes

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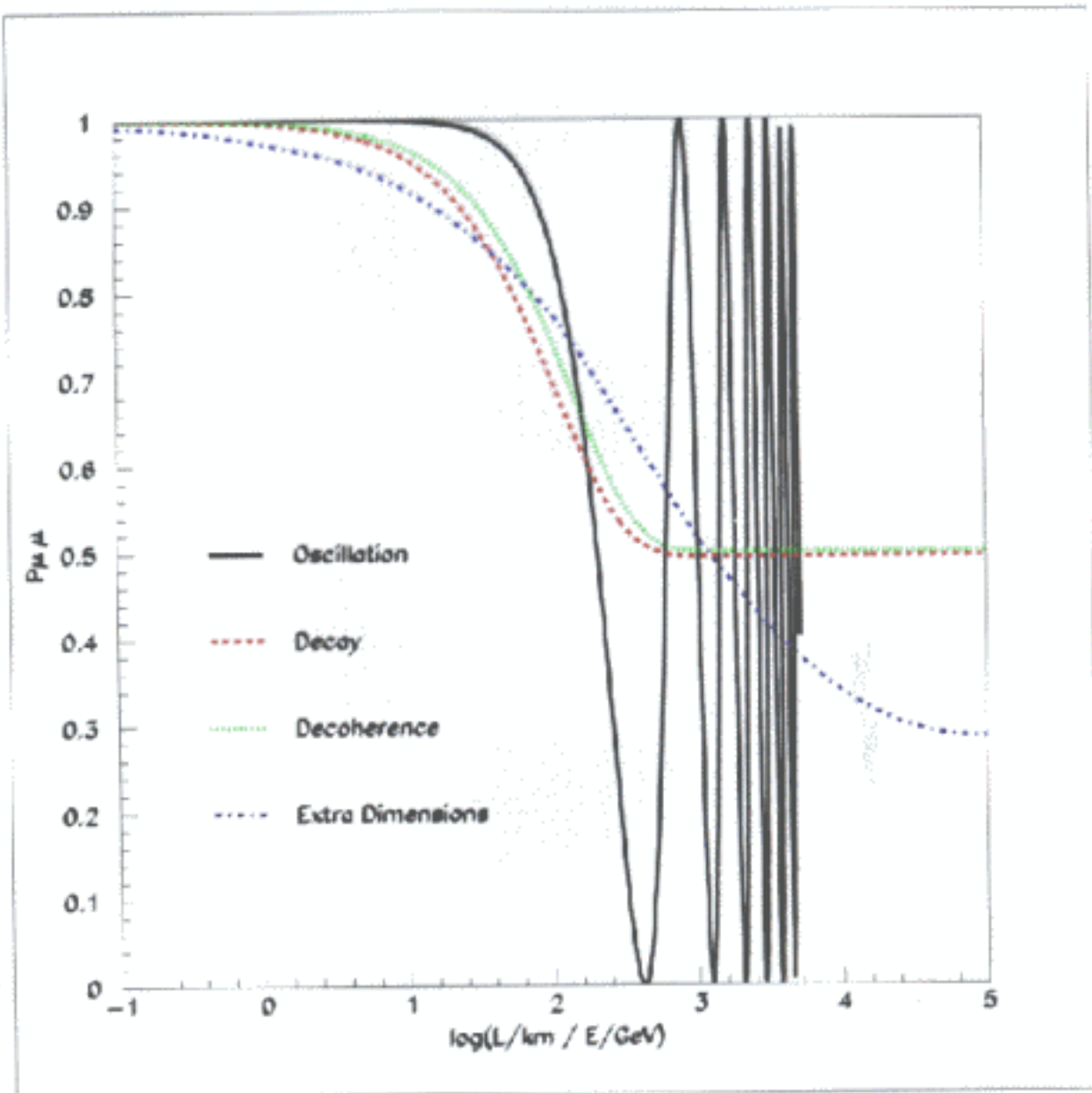
Venice
Telescopes
3/01

Atmospheric, Solar & LSND Data

Reason	Atmospheric Model	Sub-GeV	Mult-GeV	approx.
No E_ν -Dep.	FCNC + NUNC	Yes	Yes	No
Too much E_ν dep.	FV Gravity / Lorentz V.	Yes	~	No
Not Conf. E_ν dep.	Decay A (+mix)	Yes	~	No
	Decay B (+mix)	Yes	Yes	Yes
	Decoherence	Yes	Yes	Yes
$S^2 \rightarrow \chi^2$ + many χ^2 kts	Extra Dimensions	Yes	Yes	Yes

A: Δm^2_{osc} large $P_{\mu\mu} = s^4 + c^4 \exp(-\alpha L/E)$
 B: Δm^2_{osc} small $P_{\mu\mu} = (s^2 + c^2 \exp(-\alpha L/E))^2$
 Fit @ $m_2/\tau_0 = \alpha = \frac{1 \text{ GeV}}{63 \text{ km}} \quad \theta \sim 57^\circ$

Decoherence: $P_{\mu\mu} = c^2 + s^2 \exp(-\gamma L)$
 If $\gamma = \beta/E \quad \beta \sim 7 \cdot 10^{-3} \text{ GeV/km}$
 $s^2 \sim c^2 \sim 1/2 \Rightarrow \text{fit.}$



70

<u>Solar</u>	FCNC + NUNE	Yes
$(m_{\nu_1} = 0)$	$(\nu_e \rightarrow \nu_e)$	
	FV Gravity / LV	Yes
	Decay (A or B)	No
	Extra Dimensions	Yes.

• LSND.

$\mu^+ \rightarrow e^+ \bar{\nu}_e \bar{\nu}_e$ (or $\bar{\nu}_\mu$)
 with BR $\sim (1-2) \cdot 10^{-3}$.

Baroque Models Possible. (Babu & S.P.)

- Tests:
- No L/E dependence
 - No effect in $\bar{\nu}_\mu$'s from π decay.
 - No effect in MINIBOONE

Working Assumptions

- Distant ν -Sources with "reasonable" fluxes in E_ν -range $\sim 1-10$ PeV exist (AGN's, GRB's...?)
- (1 to ~~few~~ ^{many}) KM3 Detectors with good instrumentation
 - E resolution $\sim \theta^2$ resolution
 - Low E threshold (~ 50 GeV?)
- Determination of Flavor Mix on Arrival.

Expected ν -fluxes
(& energy spectra / fluxes)
from AGNs

- Most AGN ν -emission models
Tenuous beam dumps, little absorption.
 π 's, K 's decay.

- $p\bar{p} \rightarrow \Delta$ dominant process

Expect at production:

$$\nu_{\mu} : \nu_e : \nu_{\tau} \approx 2 : 1 : 0.$$

e.g. in Petheroe-Szabo model.

$$\nu_{\mu} : \nu_e \sim 1.75 : 1$$

& 10% of ν 's due to $p\bar{p}$.

- Some fraction of $p\bar{p} \rightarrow c, b, \dots$
 \rightarrow prompt ν (including ν_c 's)

Prompt ν 's: Expect $\nu_\mu : \nu_e = 1:1$.

$$\nu_\mu : \nu_e : \nu_\tau = 1:1:p$$

ν_τ comes from prod. & decay
of $D_s \rightarrow \tau \nu_\tau$, $b \rightarrow \tau \nu \dots$

a rough estimate for p :

$$p = \left\{ f \left[\frac{B_\mu^p}{B_\tau^s} + f(4+2f) \frac{B_\mu^s}{(2+4f)B_\tau^s} \right]^{-1} + \epsilon \left(\frac{B_\tau^b}{B_\mu^b} \right) \left(\frac{B_\mu^b}{B_\tau^p} \right) \right\} \times \left\{ 1 + \epsilon \frac{B_\mu^b}{B_\tau^p} \right\}^{-1}$$

$$f = \frac{\sigma_{D_s}}{\sigma_{D^*}}; \quad \epsilon = \frac{\sigma_{b\bar{b}}}{\sigma_{D^*D^*}}; \quad B_\mu^p = \frac{1}{2} (B_\mu^{D^*} + B_\mu^{D^+}) \approx 0.125$$

≈ 0.15 (≈ 0.1)

$$B_\tau^s = \text{Pr}(D_s \rightarrow \tau \nu_\tau) \approx 0.04, \quad B_\mu^s = \text{Pr}(D_s \rightarrow \mu \nu) \approx 0.08,$$

$$B_\tau^b \approx 0.025, \quad B_\mu^b \approx 0.10.$$

$$p \approx 0.1 \text{ to } 0.07 \Rightarrow \nu_\mu : \nu_e : \nu_\tau \approx 1:1:(\frac{0.07}{0.1})$$

In turn, since fraction of prompt ν 's
itself is small \Rightarrow (in P-S model)

$$\text{Expected flux ratio: } \nu_\mu : \nu_e : \nu_\tau \approx 1:0.6:0.0$$

Double Bang Signature

for ν_τ .
 Decay Length $L \sim \gamma c \tau \sim 100 \text{ m} @ E \sim 2 \text{ PeV}$

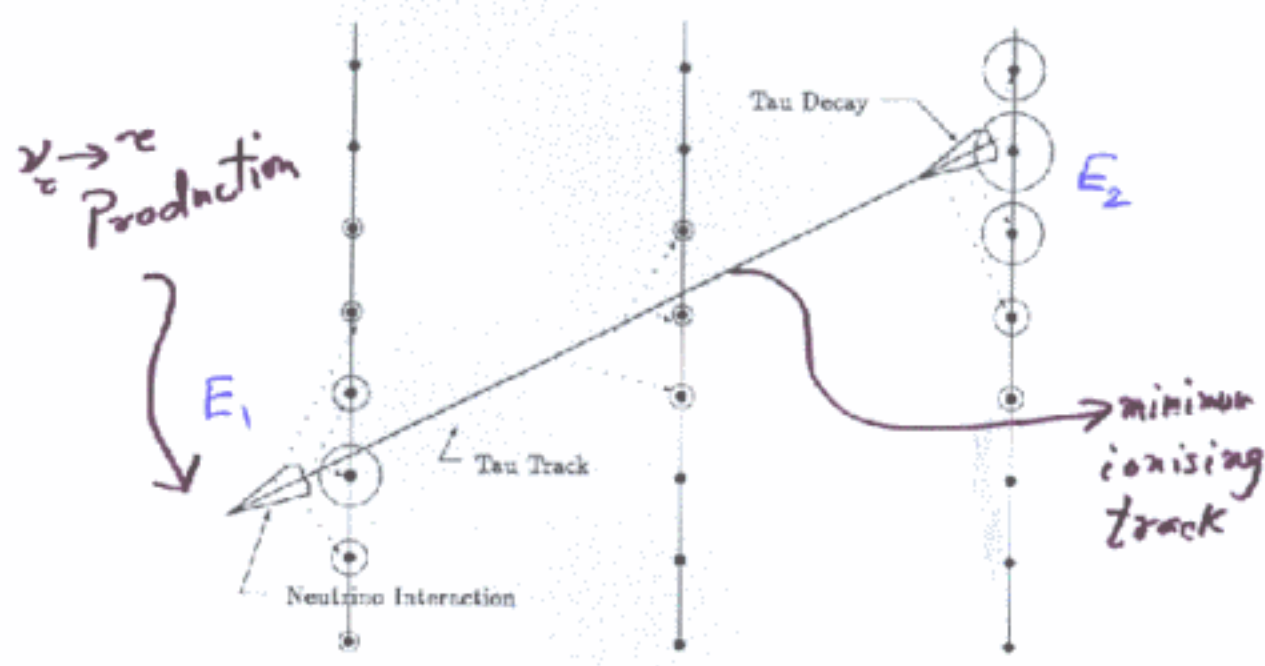


Figure 1: A schematic view of a "double bang" event near a deep ocean detector whose modules are indicated by dots. Such cascades should be visible to detectors from hundreds of meters distance.

Light from 1st Cascade
 $\rightarrow \text{Energy } \langle E_1 \rangle = \langle \gamma \rangle E_2$

Light from 2nd Cascade¹⁸
 $\rightarrow \text{Energy } \langle E_2 \rangle \approx \langle E_c \rangle - \langle E_{\nu c} \rangle \approx \frac{2}{3} \langle E_c \rangle$

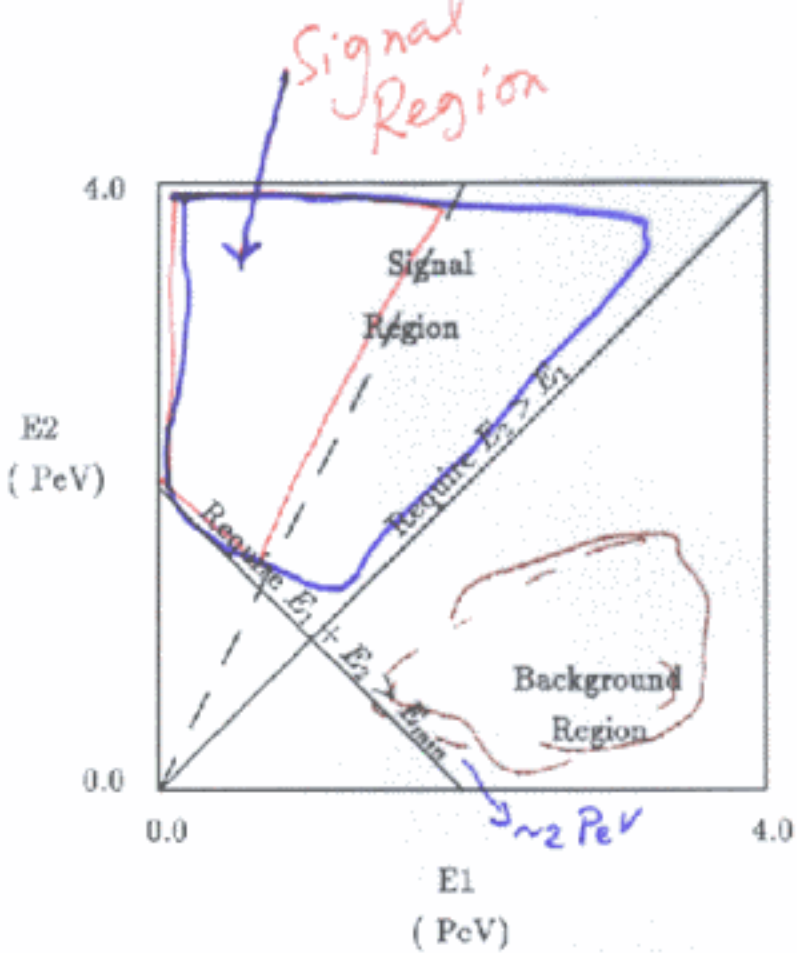


Figure 2: Diagrammatic representation of the region of double bang signals and background signals, as discussed in the text. The signal is essentially background free after cuts on minimum total energy and requiring the second cascade to be the larger.

- $(c\tau)_\tau \sim 91 \mu\text{m}$, hence decay length
 $L(E_\tau \sim 1.8 \text{ PeV}) \approx 91 \text{ m}$.

- Signature in large Water \hat{c} Det.

photons in \hat{c} -light
 $10''$

- big hadronic shower from
 $\nu_\tau \rightarrow \tau$ CC event

- a minimum ionizing track
 $\sim 0(100) \text{ m}$ from τ

- second big cascade from
 τ decay
 $\tau \rightarrow h\nu, \tau \rightarrow e\nu\nu$.

- Even if τ track hard to resolve
 connect 1 & 2 by speed of light.

- Real τ -appearance expt.

- BG's v. v. small

- either $\nu_\mu \rightarrow \nu_\tau$ osc. or ν_τ emission - Any Case v. interesting.

Event Classification:

- Double Bang events $\rightarrow \nu_e + \bar{\nu}_e$ flux
- μ /Up-Mu's $\rightarrow \nu_\mu + \bar{\nu}_\mu$ "
- Cascade (Single Bang) $\rightarrow \left. \begin{array}{l} (\nu_e + \bar{\nu}_e) \text{ (cc+nc)} \\ + (\nu_\mu + \bar{\nu}_\mu) \\ + (\nu_\tau + \bar{\nu}_\tau) \end{array} \right\} \text{NC.}$

From these can deduce:

$$f_e = (N_{\nu_e} + N_{\bar{\nu}_e}) / N_t$$

$$f_\mu = (N_{\nu_\mu} + N_{\bar{\nu}_\mu}) / N_t$$

$$f_\tau = (N_{\nu_\tau} + N_{\bar{\nu}_\tau}) / N_t$$

At $E_\nu = 6.4 \text{ PeV}$ (Glashow Resonance)

can also deduce $N_{\bar{\nu}_e} / N_{\nu_e}$

Via $\bar{\nu}_e + e^- \rightarrow W^- \rightarrow \text{shower}$

Signal & Kinematics

Measure E_1 & E_2 , energies in the two cascades.

• Expect $\langle y \rangle \sim 1/4$ at $E_\nu \sim \text{PeV}$.

• Hence $\langle E_1 \rangle \sim \frac{1}{4} E_\nu$
 $\langle E_2 \rangle \sim \left(\frac{3}{4} E_\nu \right) \times \left(\frac{2}{3} \right) \sim \frac{1}{2} E_\nu$

• $\langle (E_1 + E_2) \rangle \sim \frac{3}{4} E_\nu \sim$ rough measure of E_ν

• $\frac{\langle E_2 \rangle}{\langle E_1 \rangle} \sim \frac{2}{1} > 1$ } for signal events }
↳ cut to eliminate BG.

σ_ν, y from Gandhi et al.

$\sigma_\nu \sim \sigma_\nu$

• Cut on distance bet. 2 bangs > 0 (10 m). (to eliminate punch-through)

$\Delta E_\nu \sim 1-10 \text{ PeV}$
 Assuming $\nu_\mu : \nu_e : \nu_\tau \sim 2:1:0$
 $\nu_\mu - \nu_e$ (SK) Protheroe - Szabo

Det. $\sim 1 \text{ KM}^3$
 Det. Eff. $\sim 100\%$
 expect ~ 1000 ν_e DB
 ~ 1000 $\nu_\mu \rightarrow \nu_e$
 ~ 1800 shows
 in 1 yr.

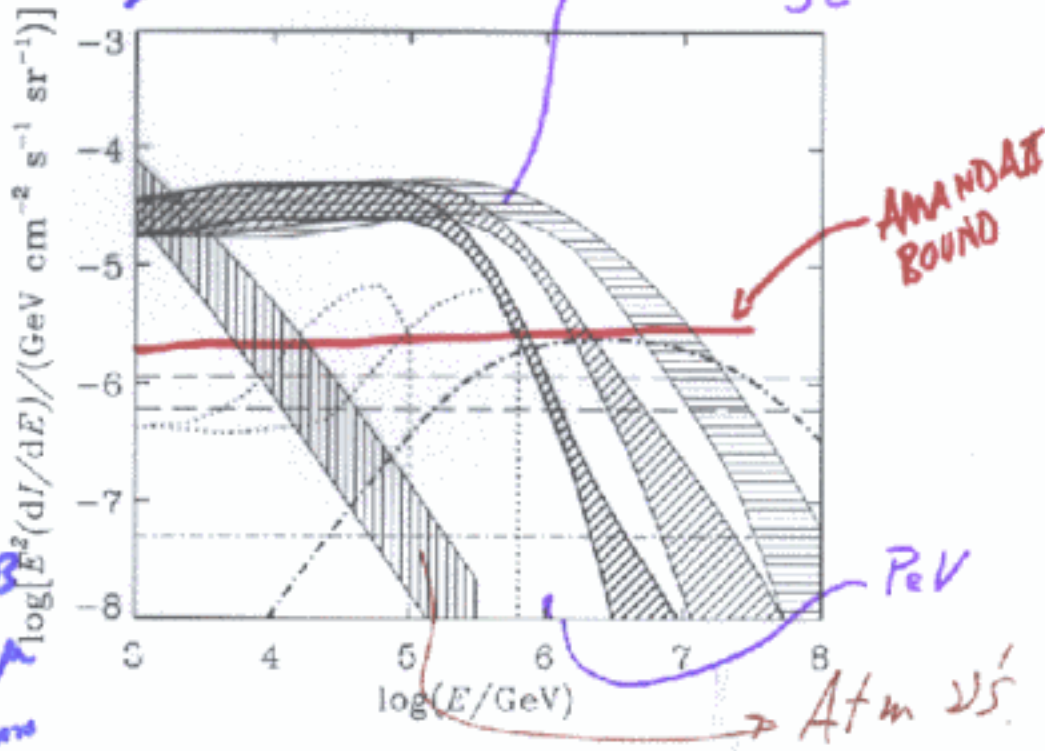


Figure 12: The expected diffuse $\nu_\mu + \bar{\nu}_\mu$ intensity at Earth. The hatched bands show the spread in results obtained using both spectrum (a) and spectrum (b), and models (a) to (c) of Morisawa *et al.* [56] and the model of Maccacaro *et al.* [57] for the luminosity function. Results are shown for $b=1$ (horizontal hatching), $b=10$ (thin oblique hatching) and $b=100$ (thick oblique hatching). An integration over a flat distribution in $\log z_1$ has been made for $10 < z_1 < 100$. Also shown: Stecker *et al.* [25,26] (chain curve), Sikora and Degelman [37] (dotted curves) for sources at $z = 0$ and 5, Biermann [60] (lower dashed line), and blazar contributions calculated by Stecker [26] (chain line), and Nelten *et al.* [61] (upper dashed line). The atmospheric neutrino intensity [58] is shown by the vertical hatched band: the upper curve corresponds to zenith angle $\theta = 90^\circ$ and the lower curve corresponds to $\theta = 0^\circ$.

ν_μ flux & spectrum from all AGN's.

identified (atm. Sk NOT due to ν osc)
 $\Delta m^2 \sim 10^{-16} \text{ eV}^2$ can be probed for large angles

No significant matter effects en-route (unless Δm^2 small).

If $\Delta m^2 \sim O(10^3) \text{ eV}^2$

Then $P_{\alpha\beta} \approx \frac{1}{2} \sin^2 \theta$ etc.

$$\left\langle \sin^2 \left(\frac{\Delta m^2 L}{4E} \right) \right\rangle \sim \frac{1}{2}.$$

$$P_{\alpha\alpha} = \sum_i |U_{\alpha i}|^4$$

$$P_{\alpha\beta} = \sum_i |U_{\alpha i}|^2 |U_{\beta i}|^2$$

$$\begin{pmatrix} N_p \\ N_e \\ N_e \end{pmatrix} = \begin{pmatrix} P_{pp} & P_{pe} & P_{pe} \\ P_{ep} & P_{ee} & P_{ee} \end{pmatrix} \begin{pmatrix} N_p^0 \\ N_e^0 \\ N_e^0 \end{pmatrix}$$

↳ Source

↳ Detectors

• If $(N_p^0, N_e^0, N_e^0) = (1, 1, 1)$
 $\Rightarrow (N_p, N_e, N_e) = (1, 1, 1)$

• Beam Dump $\Rightarrow (N_p^0, N_e^0, N_e^0)$
 $= (2, \epsilon, 1)$
 $\epsilon \ll 1$

Possible Choices for

$$U = \begin{pmatrix} U_{BM} \\ U_{TM} \\ U_{SMA} \\ \vdots \end{pmatrix}$$

$$U_{BM} = \begin{pmatrix} 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 1/2 & 1/2 & -1/\sqrt{2} \\ 1/2 & 1/2 & 1/\sqrt{2} \end{pmatrix}$$

$$U_{TM} = \begin{pmatrix} 1/\sqrt{3} & 2/\sqrt{3} & 2/\sqrt{3} \\ 2/\sqrt{3} & 1/\sqrt{3} & 2/\sqrt{3} \\ 2/\sqrt{3} & 2/\sqrt{3} & 1/\sqrt{3} \end{pmatrix}$$

$$U_{BM} \rightarrow P = \begin{pmatrix} 1/4 & 3/8 & 3/8 \\ 1/4 & 3/8 & 3/8 \end{pmatrix}$$

$$U_{TM} \rightarrow P = \begin{pmatrix} 1/3 & 1/3 & 1/3 \\ 1/3 & 1/3 & 1/3 \\ 1/3 & 1/3 & 1/3 \end{pmatrix}$$

$$U_{SMA} \rightarrow P \approx \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1/2 & 1/2 \\ 0 & 1/2 & 1/2 \end{pmatrix}$$

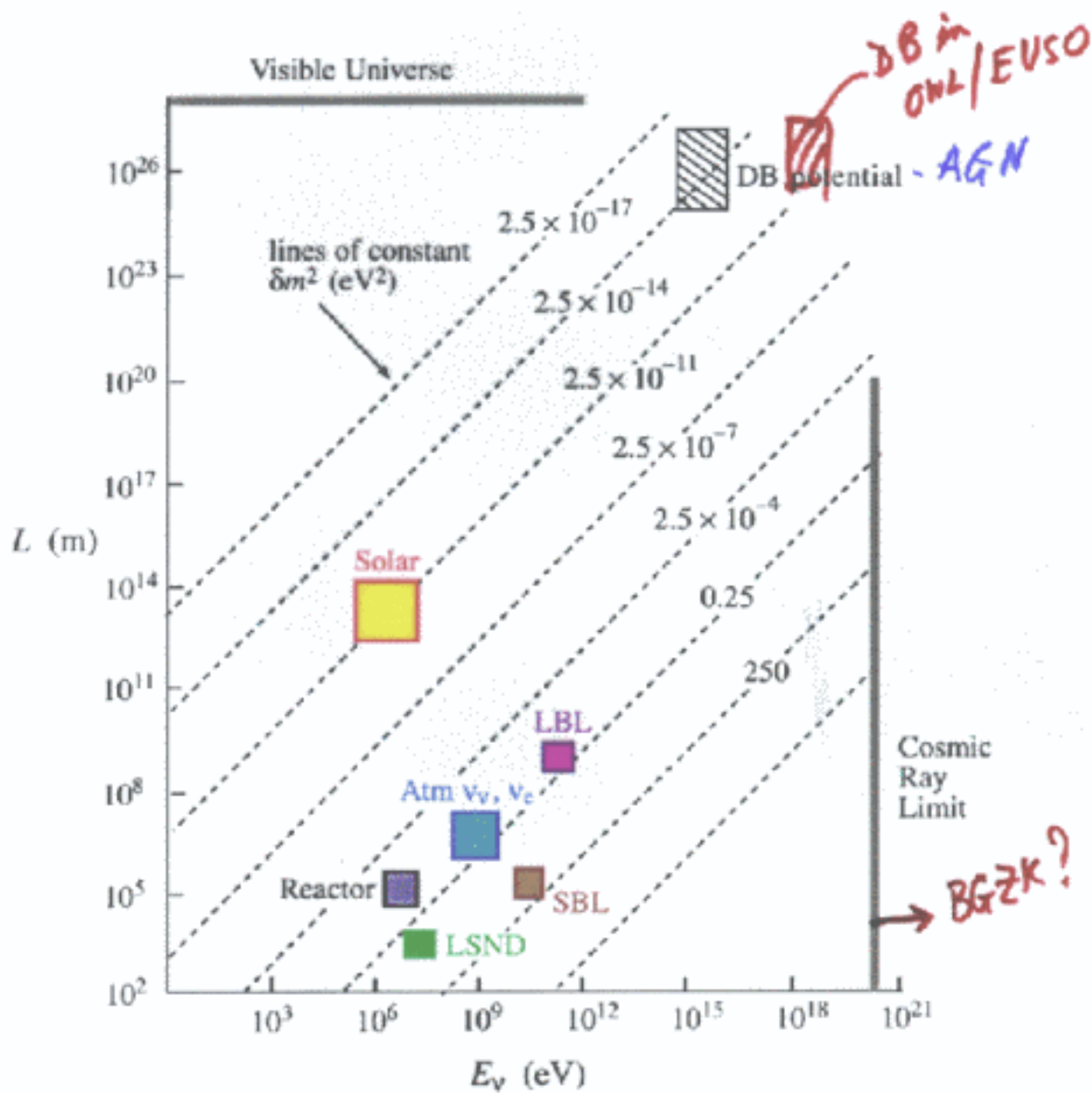
$$U_{F-X} \rightarrow P = \begin{pmatrix} 5/9 & 2/9 & 2/9 \\ 2/9 & 7/18 & 7/18 \\ 2/9 & 7/18 & 7/18 \end{pmatrix}$$

But for $\Phi_0 \approx \frac{1}{3} \begin{pmatrix} 1 \\ 2 \\ 0 \end{pmatrix}$

$$\Phi = P\Phi_0 = \frac{1}{3} \begin{pmatrix} 1 \\ 1 \\ 1 \end{pmatrix}$$

in all cases.

δm^2 sensitivity (of all possible experiments)



- Measuring $\sigma(\nu N)_{cc}$ with
 ν Telescopes.

$$\sigma(\nu N)_{cc} (SM) \sim 5.53 \cdot 10^{-26} \left(\frac{E_\nu}{\text{GeV}}\right)^{0.368} \text{cm}^2$$

$$\sigma_{NC}/\sigma_{CC} \sim 0.4$$

Proposals to account for CR
 events above GZK cut-off

BY • enhanced $\sigma(\nu N)_{cc}$ as ν events

• large $\sigma(\nu_i N \rightarrow \nu_j N)_{NC}^{FCNC}$ ν events

• $\sigma(\nu N)$ can rise by order of

(Unitarity) \Rightarrow magnitude in 2-20 PeV Range.

• Zenith angle distribution of ν 's
 in $E_\nu \sim \text{PeV}$ range \Rightarrow attenuation

\Rightarrow Handle on $\sigma_{\nu N}$ Earth Density
 (for known Earth profile)

Detecting relic ν s

$$T_\nu \sim 1.9^\circ \text{K} \quad n_\nu \sim 110/\text{cc per flavor}$$

$$j_\nu \sim 10^{13} \text{ cm}^{-2} \text{ s}^{-1} \quad \rightarrow \quad 10^9 \text{ cm}^{-2} \text{ s}^{-1} \quad (m_\nu \sim 0(\text{eV}))$$

Three Classes of "Viable" Proposals

- Electron Spin Rotation (Stodolski, 1975)

axial current coupling

$$\Rightarrow \delta E \sim 2\sqrt{2} G_F \underline{J} \cdot \underline{\nu}$$



$$v \sim 300 \text{ km/s}, \quad n_\nu \neq \bar{n}_\nu$$
$$\Rightarrow \delta\phi \sim 0.02'' \text{ per year.}$$

- "Volume" Effect on macroscopic object

(Schwarzman et al. 1982)

size $\sim a \sim \lambda_\nu \approx d = \text{interstitial distance}$

νN scatt. \rightarrow recoil \rightarrow acceleration

$$a \propto N_A^2 \sigma_0 v_\nu n_\nu \dots \quad (m_\nu \neq 0)$$

(Hagmann 1999)

$$\sim 10^{-23} \text{ cm/sec}^2 \quad (\text{even with clustering})$$

• $\nu_{AGN} + \nu_{Relic} \rightarrow \mathcal{E} \rightarrow \text{Jank.}$

(Tom Weiler's Talk)

Doing Cosmology with Neutrinos

{Stodolsky
Weiler, Simmons, Learned, SP.}

• ν Sources at Cosmological Distances
(AGN's...)

- Observe ν -pulses from them
- Measure Timing & Flavor Mixes.

• Pulse Spreading 

• Pulse Separation 

• Change in Flavor Mix

All depend on:

$$f = z/H \left[1 - \frac{(3+g)}{2} z \dots \right]$$

• Spreading:

$$\Delta t = f \frac{1}{2} m^2 \left(\frac{1}{E^2} - \frac{1}{E'^2} \right)$$

• Separation:

$$\Delta t = f \frac{1}{2} \left(\frac{m_1^2 - m_2^2}{E^2} \right)$$

• Change in Flavor Mix:

$$P_{\alpha\beta} = \sin^2 \theta \sin^2 \phi$$

$$\phi = f \left(\frac{\delta m^2}{4E} \right)$$

With a few events,
measure Δt and/or ϕ

if δm^2 known \Rightarrow know f

\Rightarrow information on θ, H and g .

obs. of ν contains cosmological info.
If $\Delta m^2, \theta$ known, flavor ratios
from diff sources can fix z, H & q_0
(without a distance measurement!)

• Since all ~~data~~^{info} used is microscopic
no worries about evolution,
standard candles

• First evr confirm of red-shift
using particles rather than light

• Can measure z, H, q_0 without
knowing distance
 ν Red Shifts $\equiv \nu$ Red Shifts?

• Practical problems!!

• $\Delta m^2 < 10^{-6} \text{ eV}^2$. $U_{e3} \neq 0$

(else $\sin^2 \theta \sim 1/2$).

typical $\Delta t \sim 50 \mu\text{sec}/\text{MPC}$ ^{for $g \sim E$}
 \sim millisecond @ 10^3MPC
 for $\Omega_m^2 \sim (eV)^2$

Smaller than Production

But If . Reheating Temp $\sim O(\text{MeV})$ ^(Kawasaki, et al)

(Giudice & Kolb, Riotto, Semikoz, Tkachev)

$m_{\nu_\mu} \sim m_{\nu_e} \sim O(\text{KeV})$

warm dark matter
 to solve structure...
 (Bode, Ostriker, Turok)

~~$\Delta t(\nu_\mu - \nu_e)$~~ $\Delta t_{\text{spread}} \sim 50 \text{ sec}/\text{MPC}$

Easily Detectable

For SN @ 10 KPC, $E_\nu \sim 10 \text{ MeV}$, $m_{\nu_\mu} \sim O(\text{KeV})$
 gives $\Delta t(\nu_\mu - \nu_e) \sim O(1000 \text{ sec})$

AND NOW FOR

SOMETHING

COMPLETELY

DIFFERENT

- Need for standards (time, ...) for advanced technologies
 - e.g. VLBI orbiting telescopes need accurate timing data over v.l. distances.
- Local clocks need to exchange timing data to remain synchronized.
- Need . stable clocks of highest possible precision
 - fast processes for transmitting & receiving markers.
 - form of radiation to carry faithfully data over large distances.
- Currently known fastest process
= decay: $\tau_2 \sim 10^{-25}$ s.

If a Civilization is using this technique at a distance of $R \sim \text{few kPC}$

Then in a KM3 detector

$$[E_{\nu} \approx \frac{1}{2} \frac{h}{\lambda}]$$

get a few events p. year.
($\nu_e \rightarrow$ showers (no ATM BG))

Power Requirements at Source

\sim approx. Solar Luminosity
 $\sim 10^{45}$ eV/sec

Would this have been already seen as a "Dyson shell" (in IR)?

Maybe, Maybe Not. (50,000 or more IR sources)

Fourier Analysis in time: . Reduce BG
. Learn timing of pulses.

≡ FIELD OF DREAMS

If we build them:

The neutrinos,

They will Come!!